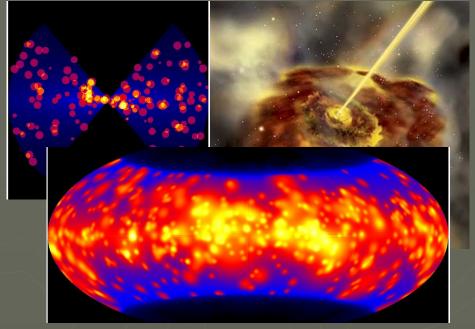
RADIATIVE TANSFER MODELING OF AGN DUSTY TORUS AS CLUMPY TWO-PHASE







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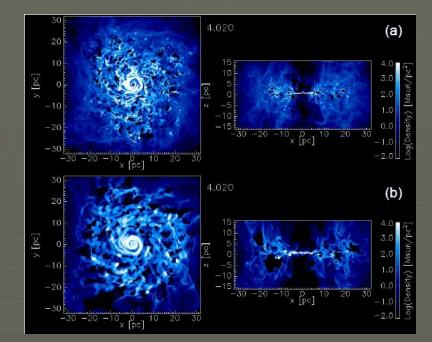
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AGN DUSTY TORUS

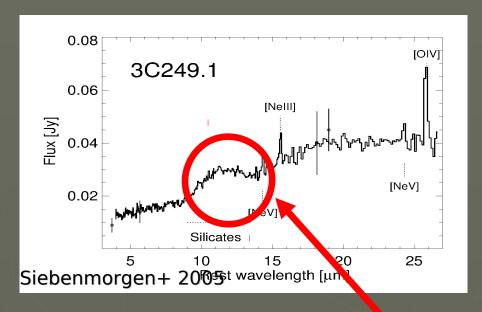
Image: J. Fritz

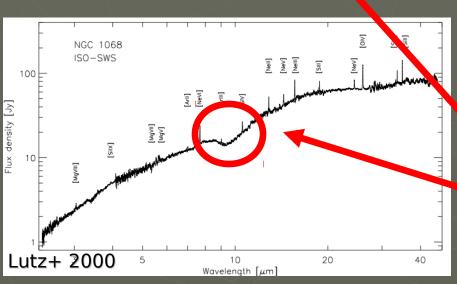


- Problems:
 - Survival of dust grains
 - Dynamical stability
- → The torus consists of a large number of optically thick clumps orbiting around the central engine (Krolik & Begelman 1988).
- Hydrodynamical simulations → ISM around AGN is a multiphase filamentary structure (Wada & Norman 2002; Wada 2009, 2012)



DUSTY TORUS EMISSION

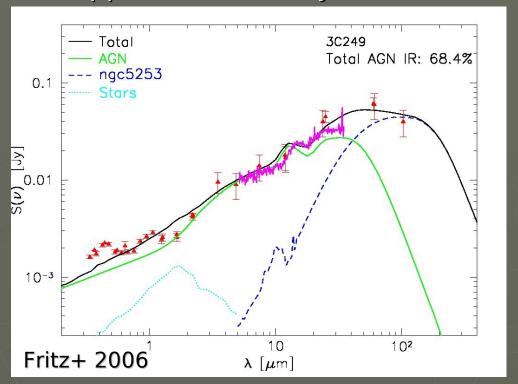




- Dust in the torus absorbs the incoming accretion disc radiation and re-emit it in the infrared
- Mid- to far-IR bump
- ~ 10 μm silicate feature (Si O 'stretching' mode) –
 - Window into dust distribution and chemical compostion
 - ► In emission in type 1 AGN
 - ► In absorption in type 2 AGN

SOME OUTSTANDING ISSUES

- Intensity and position of the 10 µm silicate feature. Different chemical composition, emissivity properties, geometrical effects (Nikutta+ 2009)?
 - Clumpiness suppresses intensity (Nenkova+ 2008).



NIR excess when fitting observed SEDs (Polletta+ 2008; Mor+ 2009; Ramos Almeida+ 2009; Alonso-Herrero+ 2011; Mor & Netzer, 2012; Deo+ 2011)

RADIATIVE TRANSFER CODE SKIRT

(Baes et al, 2003, 2011)

Stellar Kinematics Including Radiative Transfer

- ▶ 3D Monte Carlo radiative transfer code
- Developed to investigate the effects of dust extinction on the photometry and kinematics of galaxies (Baes+ 2003)
- Over the years, the code evolved into a flexible tool that can model model a variety of dusty systems, e.g:
- Variety of galaxy types (Baes+ 2010; de Looze et al. 2010)
- Post-AGB circumstellar discs (Vidal & Baes 2007)
- AGN dusty torus (Stalevski+ 2012)

RT PROBLEM

$$\begin{split} \frac{\mathrm{d}I_{\lambda}}{\mathrm{d}s}(\boldsymbol{r},\boldsymbol{k}) &= j_{\lambda}^{*}(\boldsymbol{r}) - \sum_{j=1}^{N_{\mathrm{pop}}} \int_{a_{\mathrm{min},j}}^{a_{\mathrm{max},j}} \frac{\mathrm{d}n_{j}}{\mathrm{d}a}(\boldsymbol{r},a) \, C_{\lambda,j}^{\mathrm{ext}}(a) \, I_{\lambda}(\boldsymbol{r},\boldsymbol{k}) \, \mathrm{d}a \\ &+ \sum_{j=1}^{N_{\mathrm{pop}}} \int_{a_{\mathrm{min},j}}^{a_{\mathrm{max},j}} \frac{\mathrm{d}n_{j}}{\mathrm{d}a}(\boldsymbol{r},a) \, C_{\lambda,j}^{\mathrm{sca}}(a) \, \left[\int_{4\pi} I_{\lambda}(\boldsymbol{r},\boldsymbol{k}') \, \Phi_{\lambda,j}(\boldsymbol{k},\boldsymbol{k}',a) \, \frac{\mathrm{d}\Omega'}{4\pi} \right] \mathrm{d}a \\ &+ \sum_{j=1}^{N_{\mathrm{pop}}} \int_{a_{\mathrm{min},j}}^{a_{\mathrm{max},j}} \frac{\mathrm{d}n_{j}}{\mathrm{d}a}(\boldsymbol{r},a) \, C_{\lambda,j}^{\mathrm{abs}}(a) \, B_{\lambda} \Big(T_{\mathrm{d},j}(\boldsymbol{r},a) \Big) \, \mathrm{d}a \end{split}$$

$$\int_0^\infty C_{\lambda,j}^{\rm abs}(a)\,B_\lambda\Big(T_{{\rm d},j}(\boldsymbol{r},a)\Big){\rm d}\lambda = \int_0^\infty C_{\lambda,j}^{\rm abs}(a)\,J_\lambda(\boldsymbol{r})\,{\rm d}\lambda$$

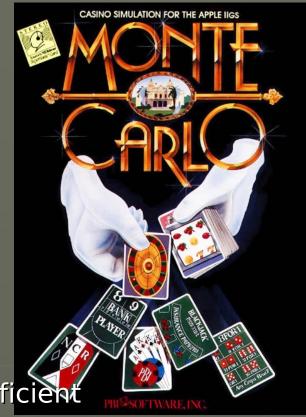
Monte Carlo radiative transfer

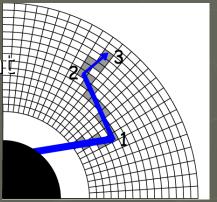
A large number of photon packages are followed individually through the dusty medium.

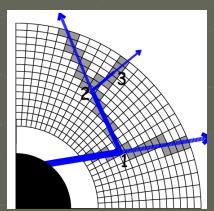
The trajectory of each photon package is determined by (pseudo) random numbers.

Clever tricks to make MCRT simulations efficient

- continuous absorption
- immediate re-emission
- frequency distribution adjustmen
- peeling-off technique





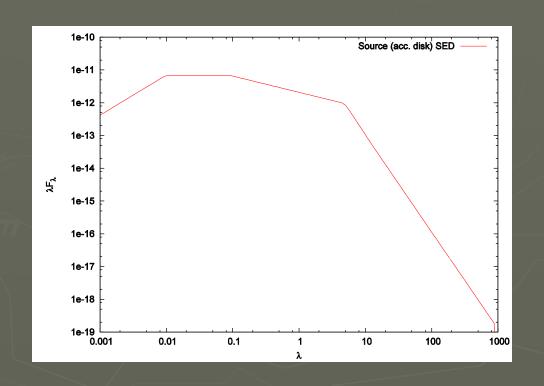


PRIMARY SOURCE: ACCRETION DISK

Approx: central point-like energy source with isotropic

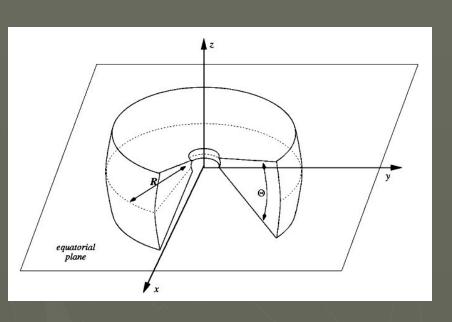
emission

$$\lambda L(\lambda) \propto \left\{ \begin{array}{ll} \lambda^{1.2} & 0.001 < \lambda < 0.01 & [\mu m] \\ \lambda^{0} & 0.01 < \lambda < 0.1 & [\mu m] \\ \lambda^{-0.5} & 0.1 < \lambda < 5 & [\mu m] \\ \lambda^{-3} & 5 < \lambda < 1000 & [\mu m] \end{array} \right.$$



 $L = 10^{11} L_{o}$

TORUS MODEL



$$R_{min} \simeq 1.3 \cdot \sqrt{L_{46}^{AGN}} \cdot T_{1500}^{-2.8}$$
 [pc],

Dust mixture: silicate and graphite dust grains

Dust grain size - MRN distribution:

$$dn(a) = Ca^{-3.5}da$$

a: 0.005 – 0.25 μm

▶ 3D Cartesian grid of cubic cells

CLUMPY TWO-PHASE MEDIUM:

High-density clumps + low-density dust between the clumps

Smooth dust distribution:

$$\rho\left(r,\theta\right) = r^{-p} e^{-\gamma |\cos(\theta)|}.$$

Filling factor & contrast

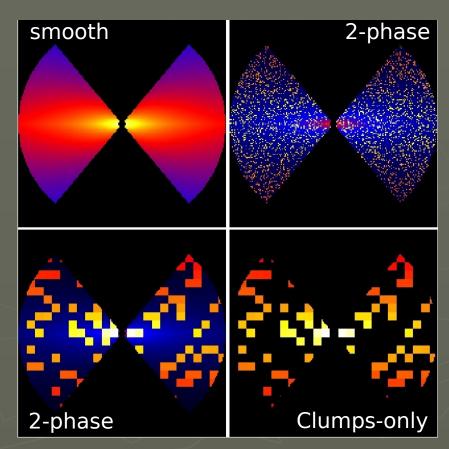


Two-phase medium



Very high contrast





Dust density map (meridional plane)

CLUMPY TWO-PHASE MEDIUM:

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+

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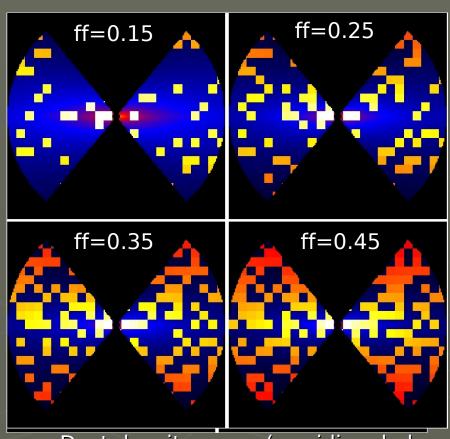
Two-phase medium



Very high contrast

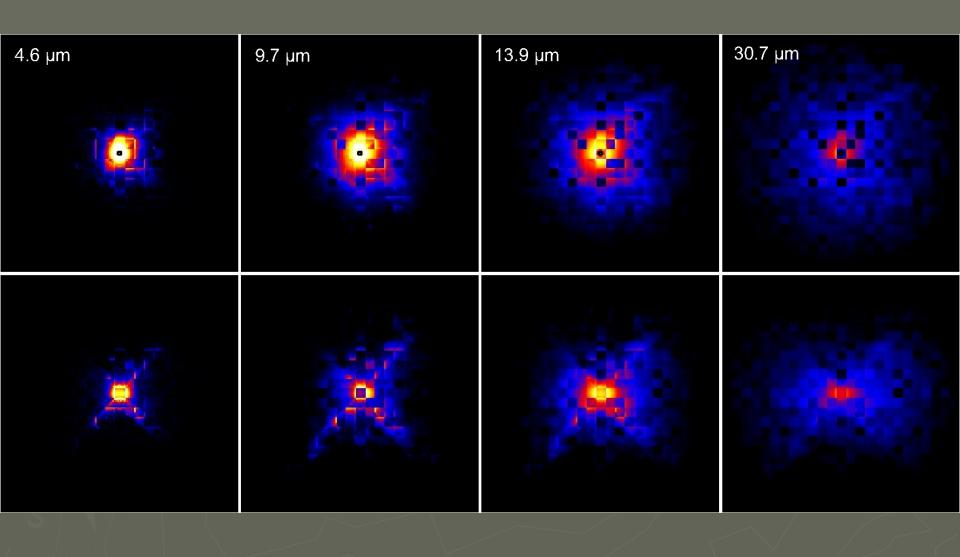


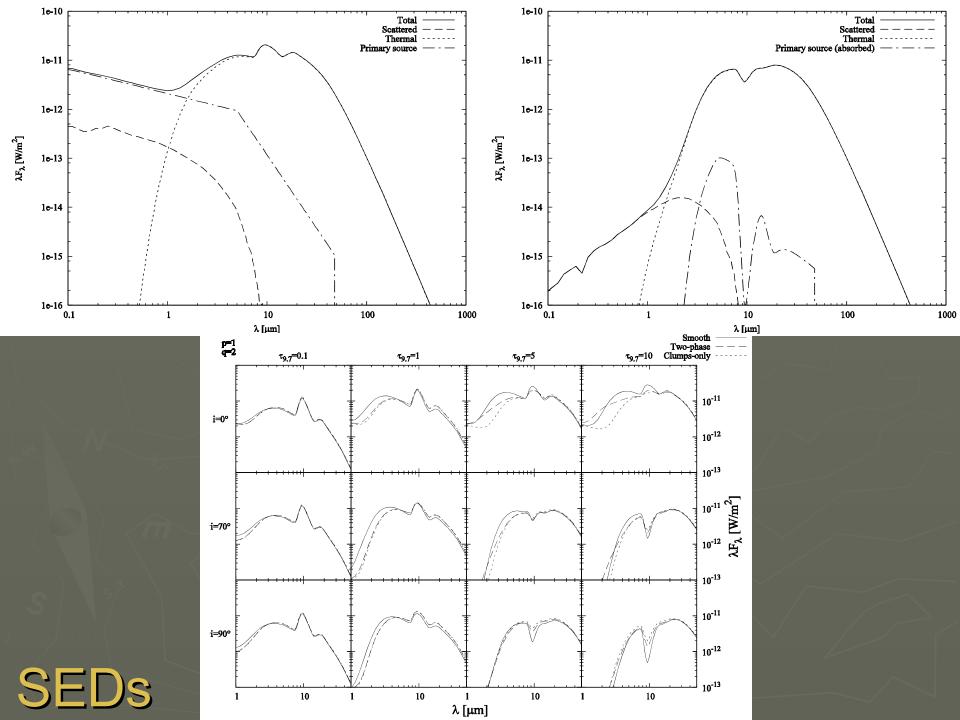
contrast=100



Dust density maps (meridional plane)
For different filling factorts

TORUS IMAGES

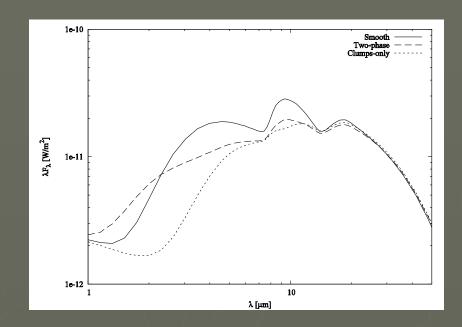




Degeneracy due to random arrangement of the clumps $\lambda F_{\lambda} \, [W/m^2]$ 1e-11 1e-12 λ[μm] Temperature map (meridional plane)

Silicate feature and NIR excess

- ▶ 10 µm silicate feature attenuated in the clumpy models. BUT smooth models are able to reproduce almost the same range of the silicate feature strength
- Two-phase models: more pronounced NIR emission + attenuated silicate feature: a natural solution to the NIR excess problem?



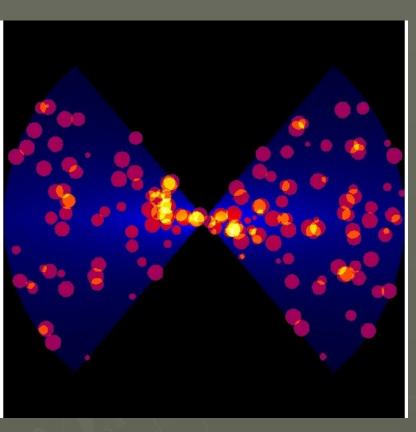
Roseboom+ 2012: observed L_{NIR}/L_{TOTIR} ratio easily achievable in two-phase models

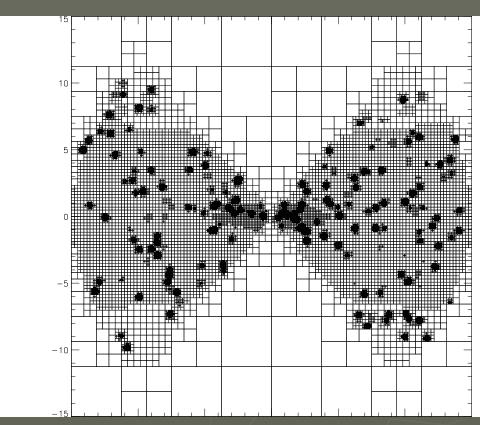
SKIRT4

(Stalevski et al. 2012, MNRAS)

https://sites.google.com/site/skirtorus/

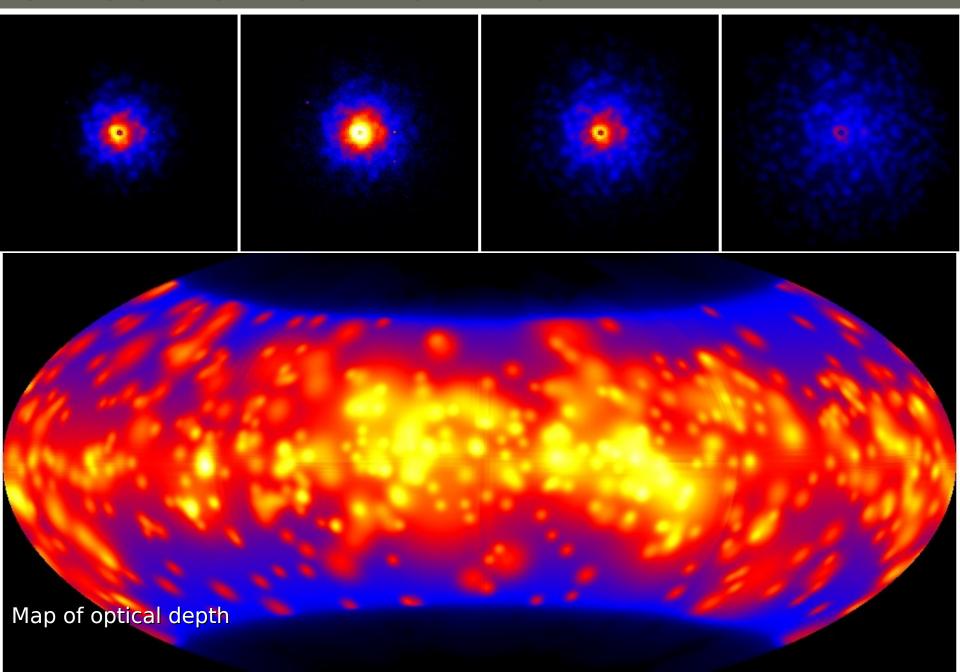
ON-GOING WORK: SKIRT5





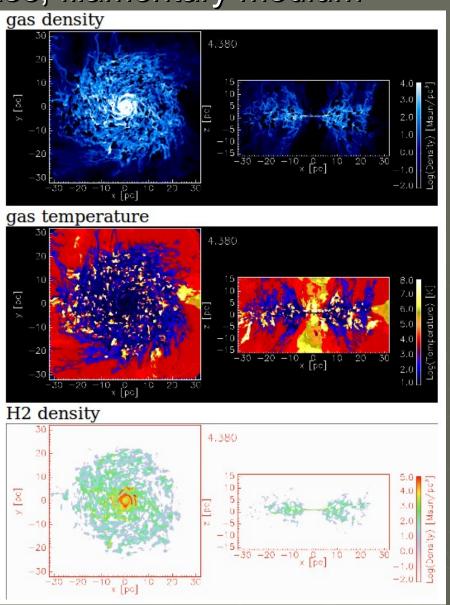
Adaptive octtree grid (Saftly et al. 2012)

ON-GOING WORK: SKIRT5



NEAR FUTURE WORK: SKIRT6

RT of multiphase, filamentary medium



Wada 2009

FUTURE WORK: Polarization in SKIRT

- Observed polarization properties can constrain geometry of different scattering regions in AGN:
 - Dusty torus
 - Equatorial scattering region
 - Polar outflows

Polarization studies of AGN and circumstellar discs based on Monte Carlo radiative transfer studies have been done before (e.g. Goosmann & Gaskell 2007, Marin+2012)

But not based on physically motived clumpy 3D geometries...

FUTURE WORK: Polarization in SKIRT

Including polarization into a Monte Carlo radiative transfer code is relatively straightforward

- use all Stokes parameters S = (I,Q,U,V) instead of just the intensity
- it is usually assumed that radiation is unpolarized when emitted
- scattering by dust grains polarizes the radiation: use full Mueller matrix instead of scattering phase function

$$\begin{pmatrix} I^{\text{out}} \\ Q^{\text{out}} \\ U^{\text{out}} \\ V^{\text{out}} \end{pmatrix} = \begin{pmatrix} S_{11} & S_{12} & 0 & 0 \\ S_{12} & S_{22} & 0 & 0 \\ 0 & 0 & S_{33} & S_{34} \\ 0 & 0 & -S_{34} & S_{44} \end{pmatrix} \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos 2\phi & \sin 2\phi & 0 \\ 0 & -\sin 2\phi & \cos 2\phi & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} I^{\text{in}} \\ Q^{\text{in}} \\ U^{\text{in}} \\ V^{\text{in}} \end{pmatrix}$$

- Stalevski et al, 2012, MNRAS, 420, 2756
- https://sites.google.com/site/skirtorus/
 - Download model SEDs
 - ► Images of torus (FITS) available upon request
- SKIRT: http://users.ugent.be/~mbaes/SKIRT.html
- ► 9th Serbian Conference on Spectral Line Shapes in Astrophysics
 - Banja Koviljaca, Serbia, May 13-17, 2013
 - http://www.scslsa.matf.bg.ac.rs/