



Right cheek
erythema induced
by hot wet towel.

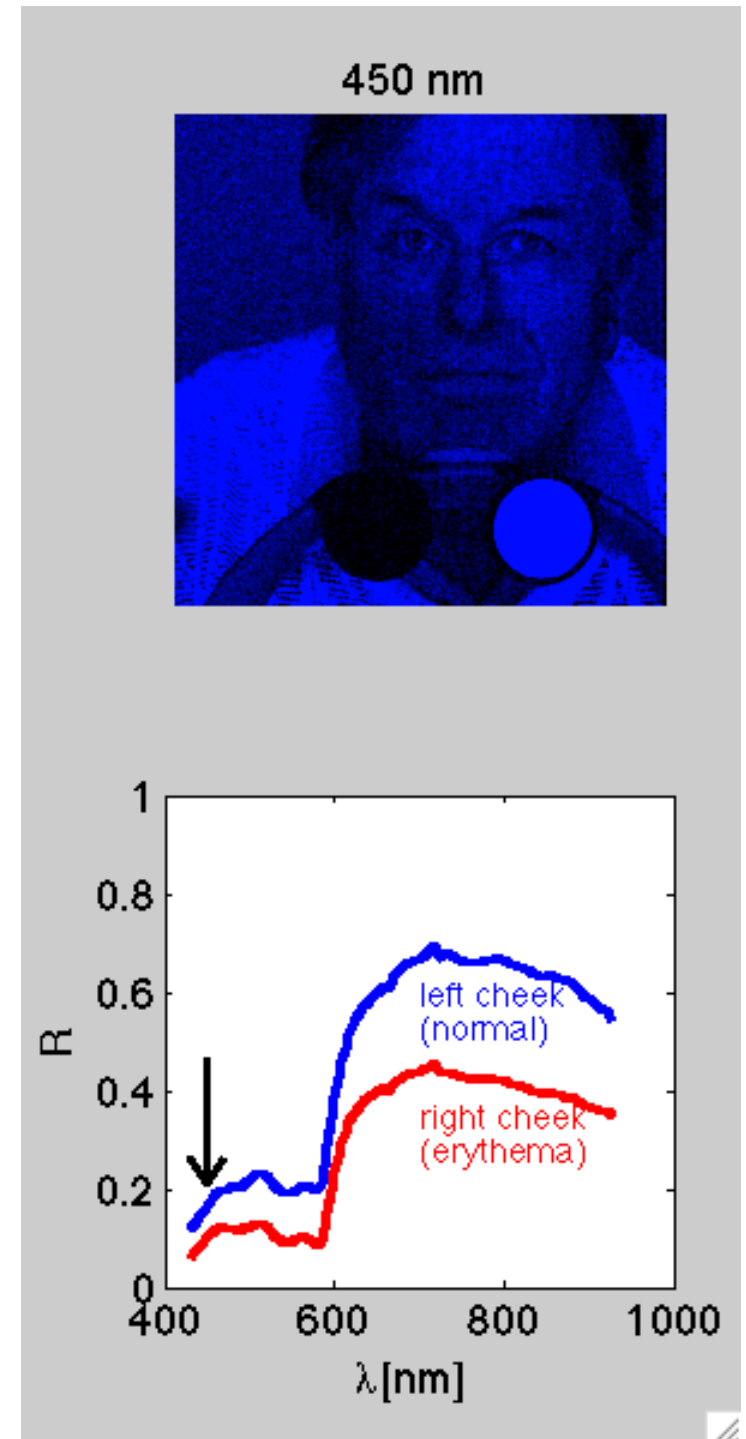
Optical properties of biological tissues for polarized light

Steven L. Jacques

*Depts. of Biomedical Engineering and Dermatology
OHSU, Portland, Oregon, USA*

jacquess@ohsu.edu

<http://omlc.ogi.edu>



Polarization...

1. as a **contrast** mechanism
 - examples in biology (next talks)
2. as a **characterization** parameter
 - depolarization due to
 - a. birefringence
 - b. scattering
3. as a **gating** mechanism
 - HQ image, to select superficially scattered light

Polarization as a **characterization** parameter

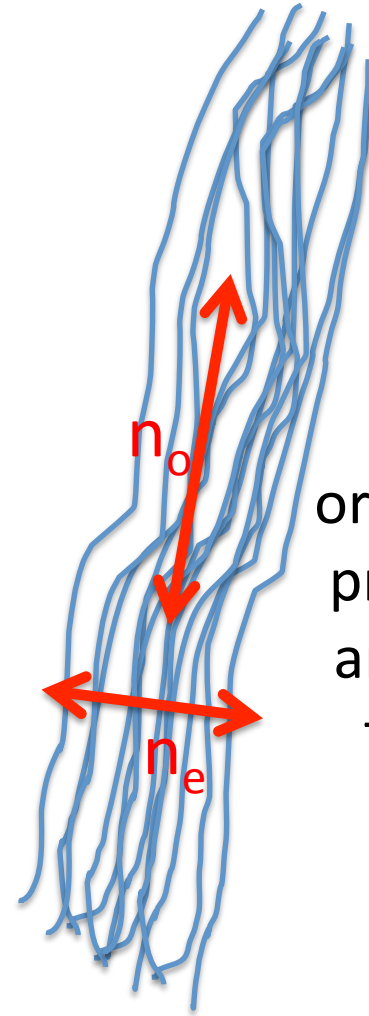
A. Depolarization by birefringence (no scattering)

Birefringence

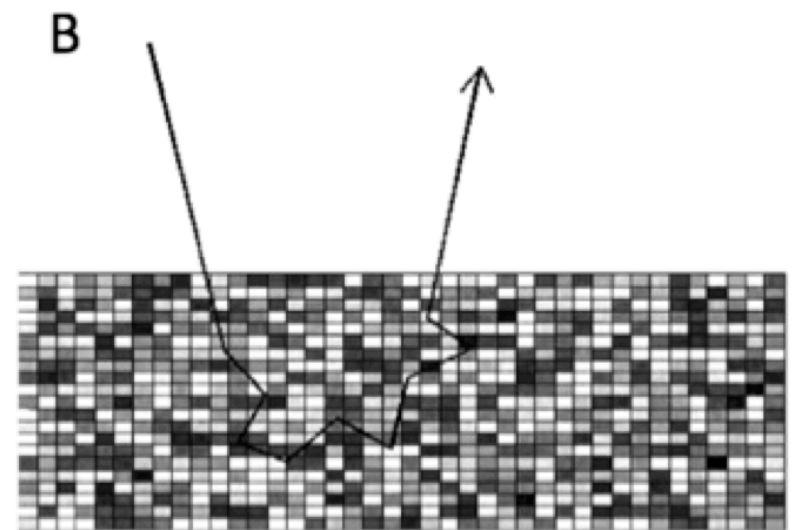
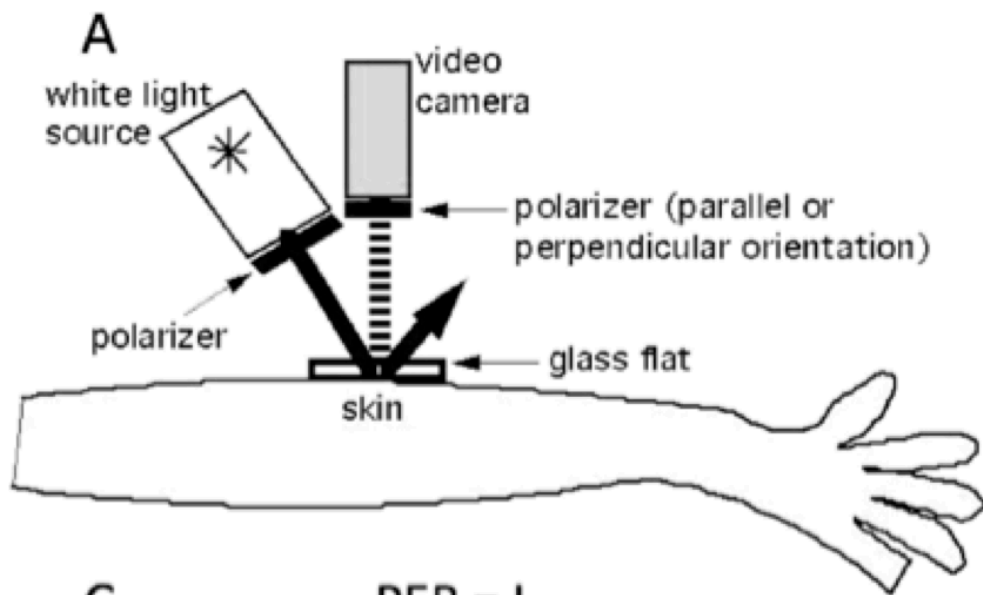
$$\begin{aligned} \Delta n &= n_e - n_o \\ &\approx 1 \times 10^{-3} - 5 \times 10^{-3} \end{aligned}$$

Size of microdomains
of birefringence in
tissue is

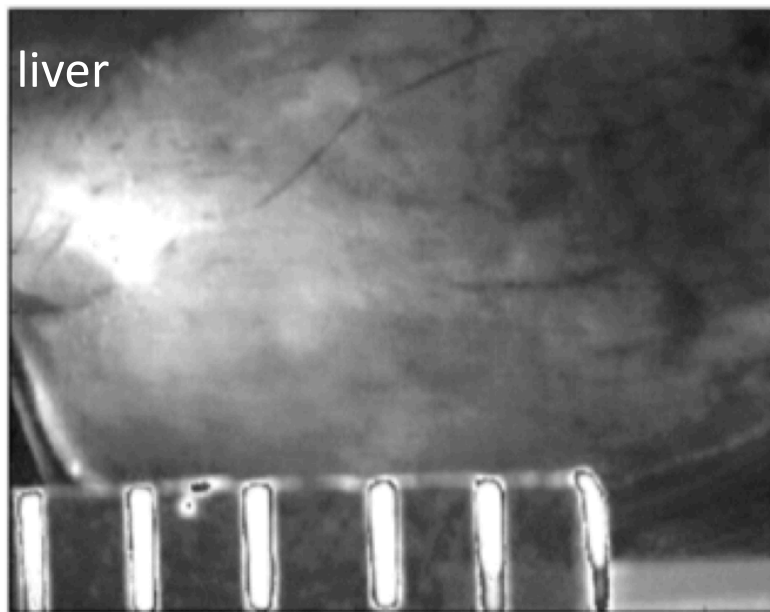
$$DL \approx 10-100 \text{ nm}$$



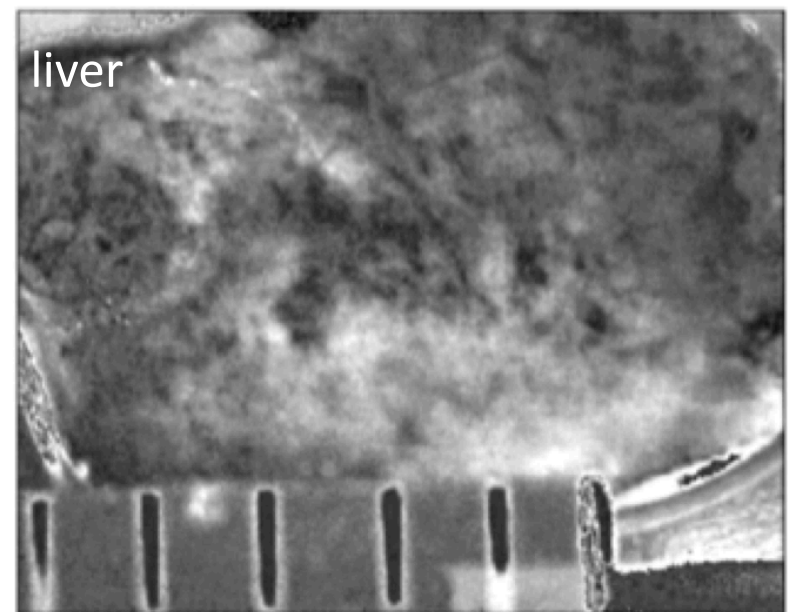
oriented fibers
present a fast
and slow axis
to photons



C $PER = I_V$



D $DIFF = I_H - I_V$



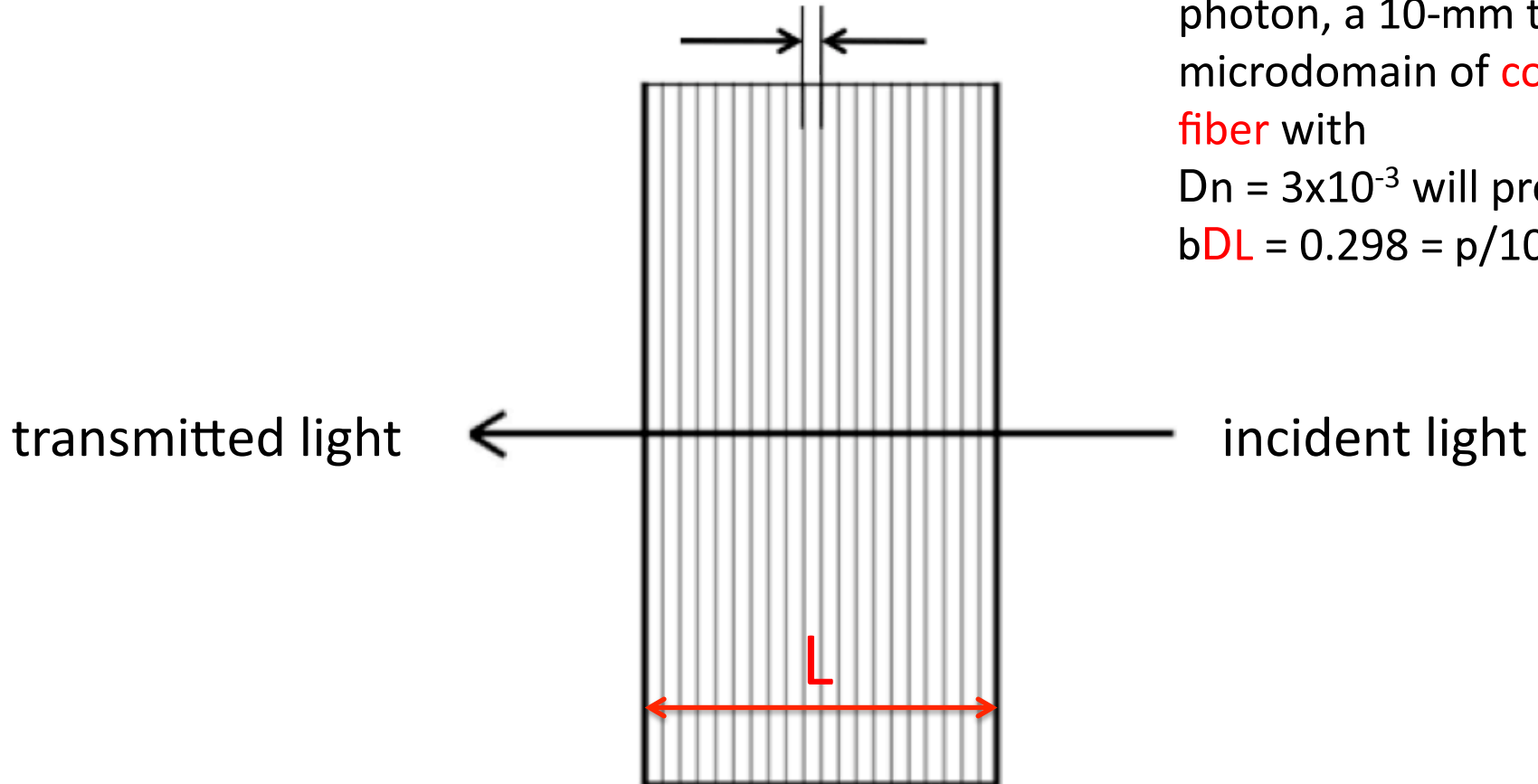
$$b = 2pDn/l$$

incremental retardance

$$Df = 2pDnDL/l = bDL$$

For a 633 nm wavelength photon, a 10-mm thick microdomain of collagen fiber with

$Dn = 3 \times 10^{-3}$ will present $bDL = 0.298 = p/10.5$.



many incremental

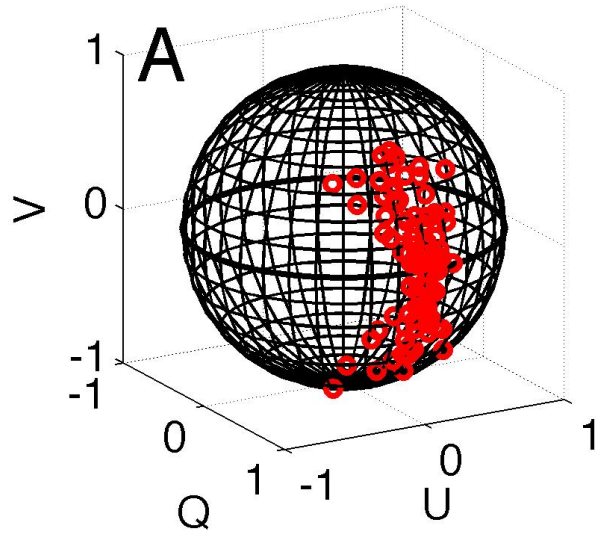
$L/DL = N$ incremental retarders,
randomly oriented

microdomain retardance:

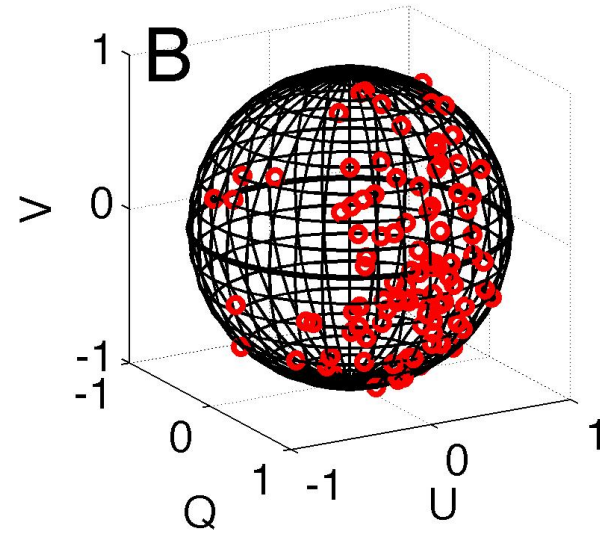
$$bDL = p/10$$

$$S_{in} = \begin{vmatrix} 1 \\ 1 \\ 0 \\ 0 \end{vmatrix}$$

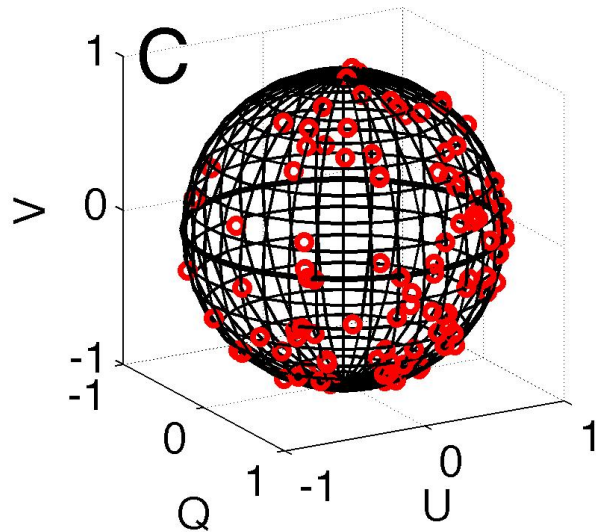
$N = 5, \langle Q \rangle = 0.91$



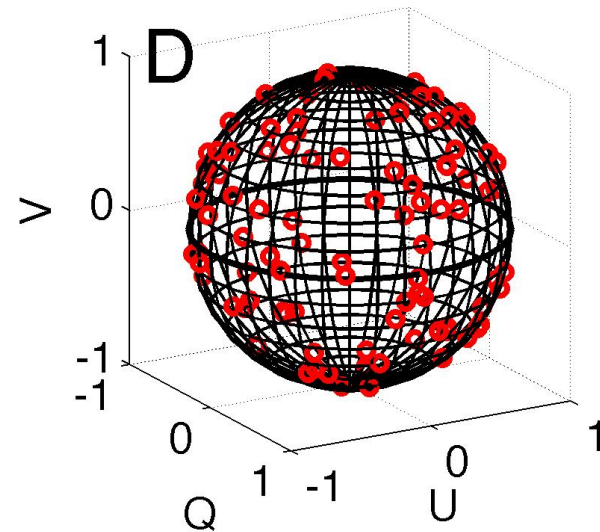
$N = 10, \langle Q \rangle = 0.71$



$N = 20, \langle Q \rangle = 0.45$

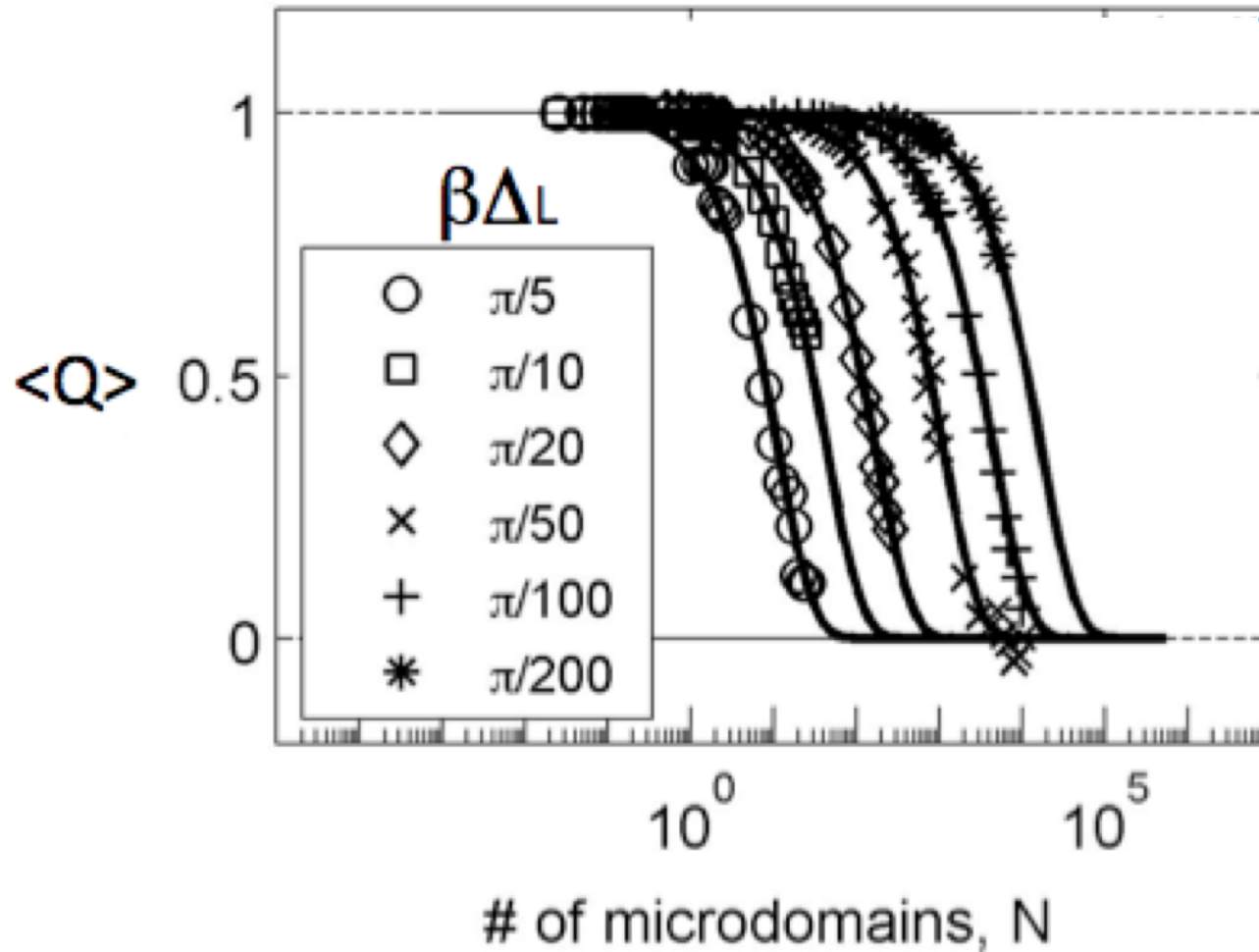


$N = 40, \langle Q \rangle = 0.09$



$$\langle Q \rangle = e^{-D_{LP}N}$$

$$D_{LP} = a \left(\frac{\beta \Delta L}{[rad]} \right)^2$$



Depolarization coefficients m_{LP} and m_{CP}
 due to randomly oriented birefringent microdomains

$$\langle Q \rangle = e^{-D_{LP}N} = e^{-D_{LP}\left(\frac{L}{\Delta L}\right)} = e^{-\mu_{LP}L}$$

For the example , if

$$Dn = 3 \times 10^{-3},$$

$$l = 0.633 \times 10^{-4} \text{ cm}$$

$$\text{and } DL = 10 \times 10^{-4} \text{ cm},$$

$$\mu_{LP} = D_{LP} / \Delta L$$

$$= a \Delta L \left(\frac{\beta}{[rad]} \right)^2$$

the value of

$$m_{LP} \text{ is } 21 \text{ cm}^{-1}$$

$$mpf = 1/m_{LP} = 476 \text{ mm}$$

Depolarization coefficients m_{LP} and m_{CP}
 due to randomly oriented birefringent microdomains

$$\langle V \rangle = e^{-D_{CP}N} = e^{-D_{CP}\left(\frac{L}{\Delta L}\right)} = e^{-\mu_{CP}L}$$

For the example , if

$$D_n = 3 \times 10^{-3},$$

$$l = 0.633 \times 10^{-4} \text{ cm}$$

$$\text{and } DL = 10 \times 10^{-4} \text{ cm},$$

$$\mu_{LP} = D_{LP} / \Delta L$$

$$= a \Delta L \left(\frac{\beta}{[rad]} \right)^2$$

the value of

$$m_{LP} \text{ is } 42 \text{ cm}^{-1}$$

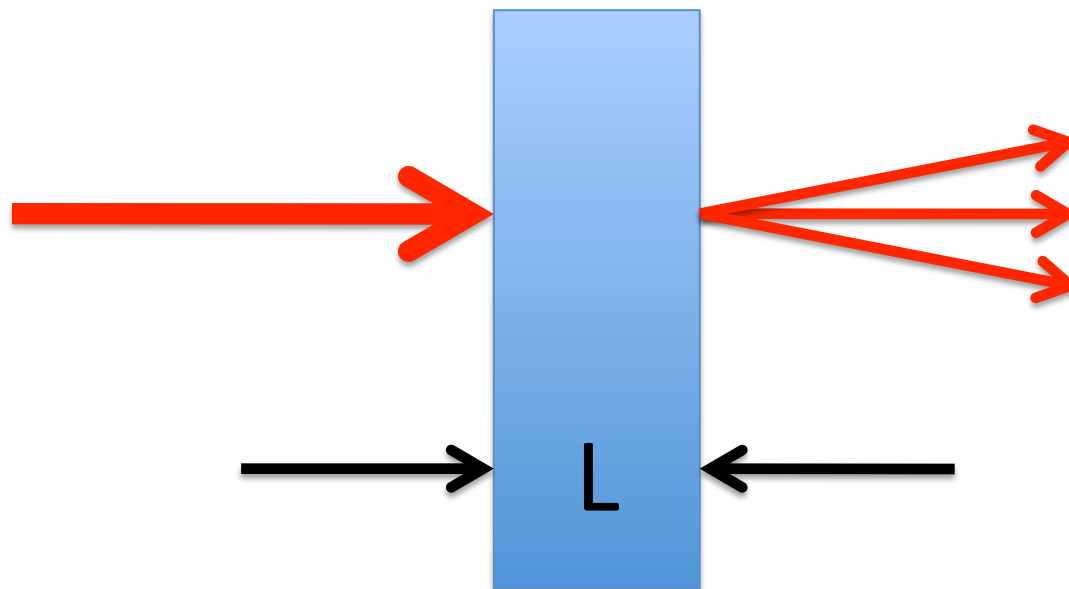
$$mpf = 1/m_{LP} = 238 \text{ mm}$$

$$m_{CP} = 2 m_{LP}$$

Polarization as a **characterization** parameter

B. Depolarization by scattering (no birefringence)

Use polarized light Monte Carlo simulations
For each scattering coefficient m_s [cm^{-1}]
vary the slab thickness L [cm].



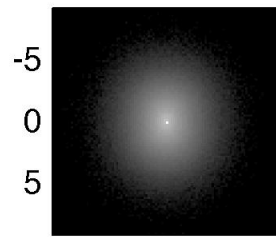
Ramella-Roman JC, SA Prah, SL Jacques: Three Monte Carlo programs of polarized light transport into scattering media: part I. *Optics Express* 13 (12):4420-4438, 2005.

0.1 mm dia
spheres,
L=100mm

H

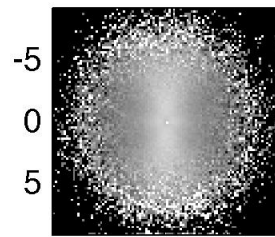
$m_s' L = 0.108$

$\log_{10}(I)$



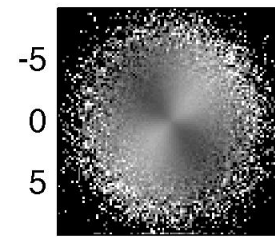
-5 0 5

Q/I



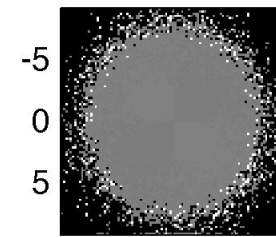
-5 0 5

U/I



-5 0 5

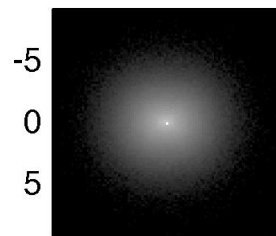
V/I



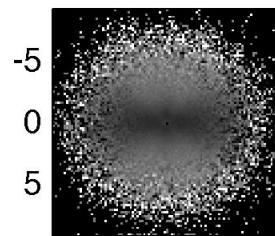
-5 0 5

colorbar:
-1 to +1
for
columns
2-4

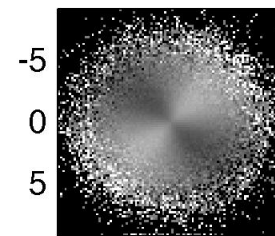
V



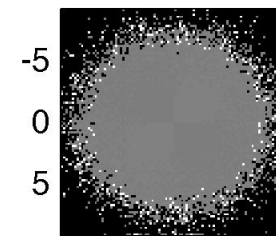
-5 0 5



-5 0 5

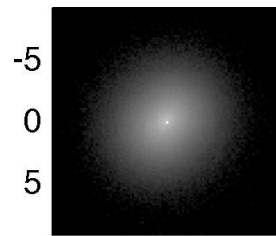


-5 0 5

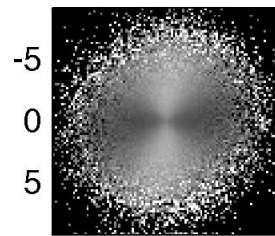


-5 0 5

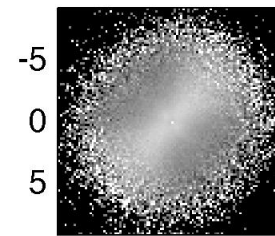
P



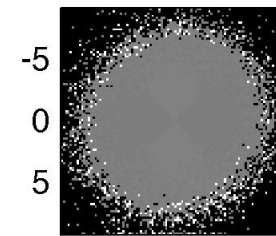
-5 0 5



-5 0 5

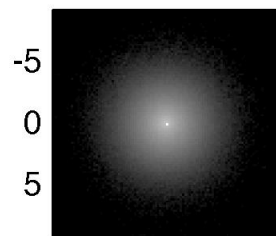


-5 0 5

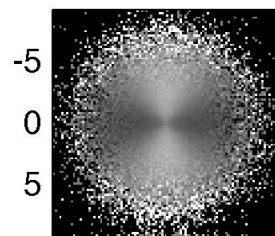


-5 0 5

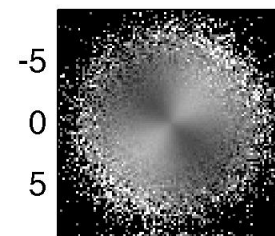
R



-5 0 5

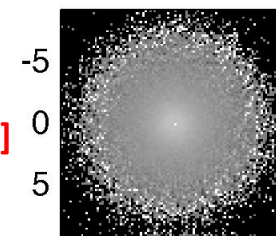


-5 0 5



-5 0 5

y
[mm]



-5 0 5

x [mm]

Simulation Matrix for T

0.1 mm dia
spheres,
 $L=100\text{mm}$

H

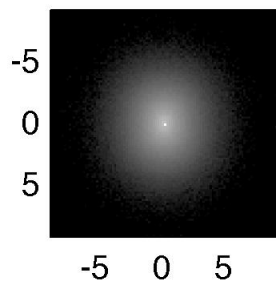
$m_s' L = 0.108$

V

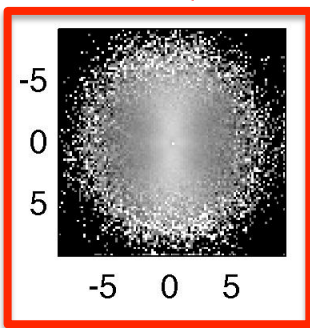
P

R

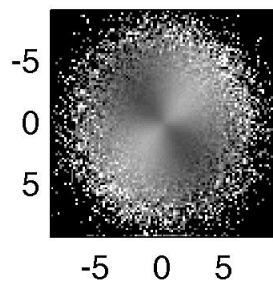
$\log_{10}(I)$



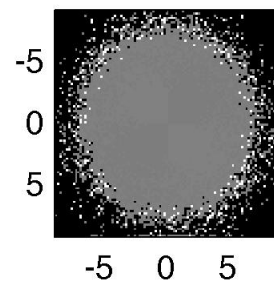
$\langle Q \rangle$



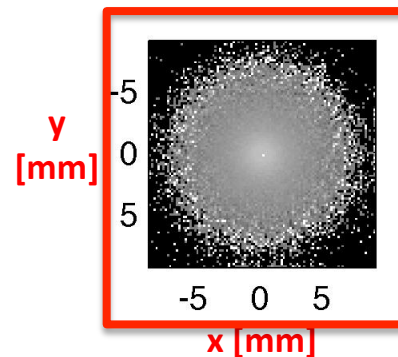
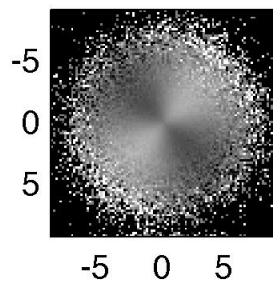
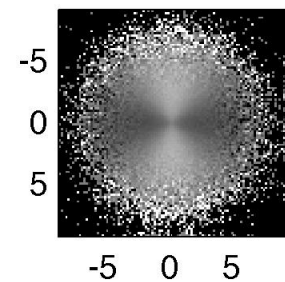
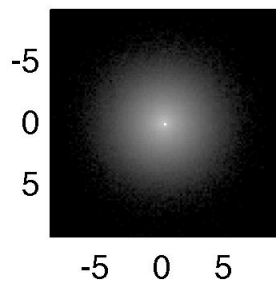
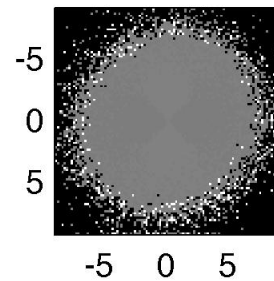
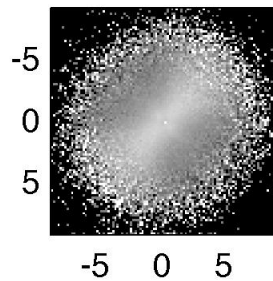
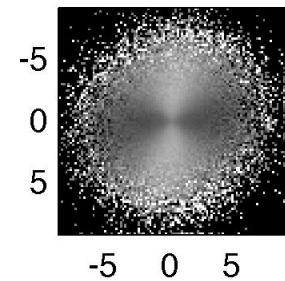
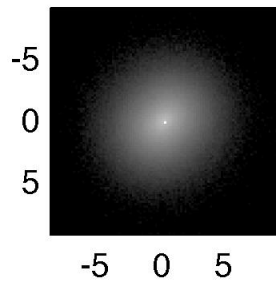
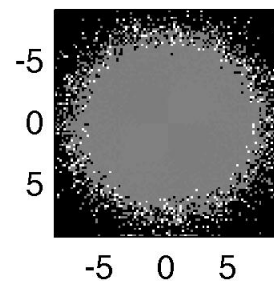
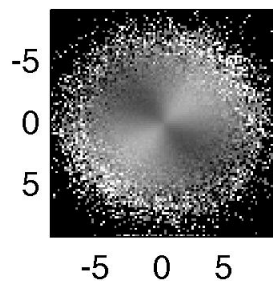
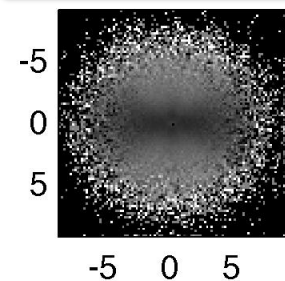
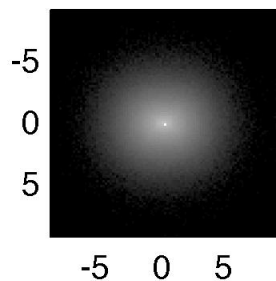
U/I



V/I

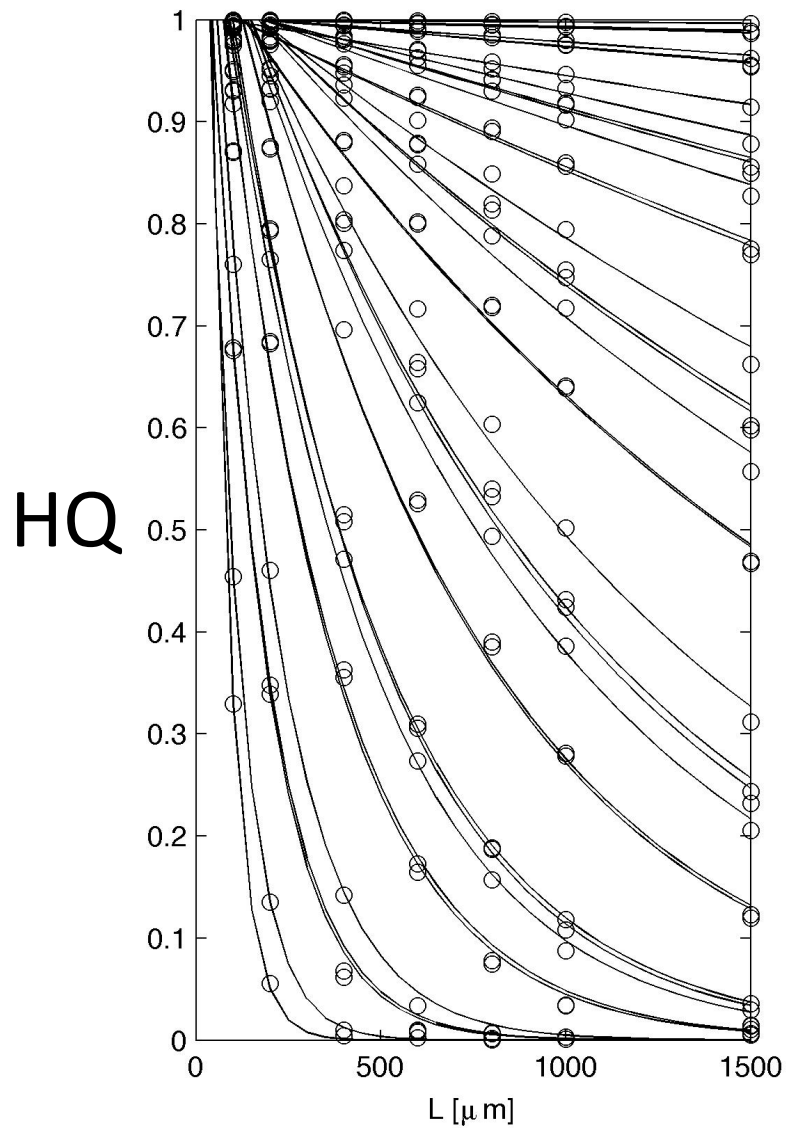


colorbar:
-1 to +1
for
columns
2-4



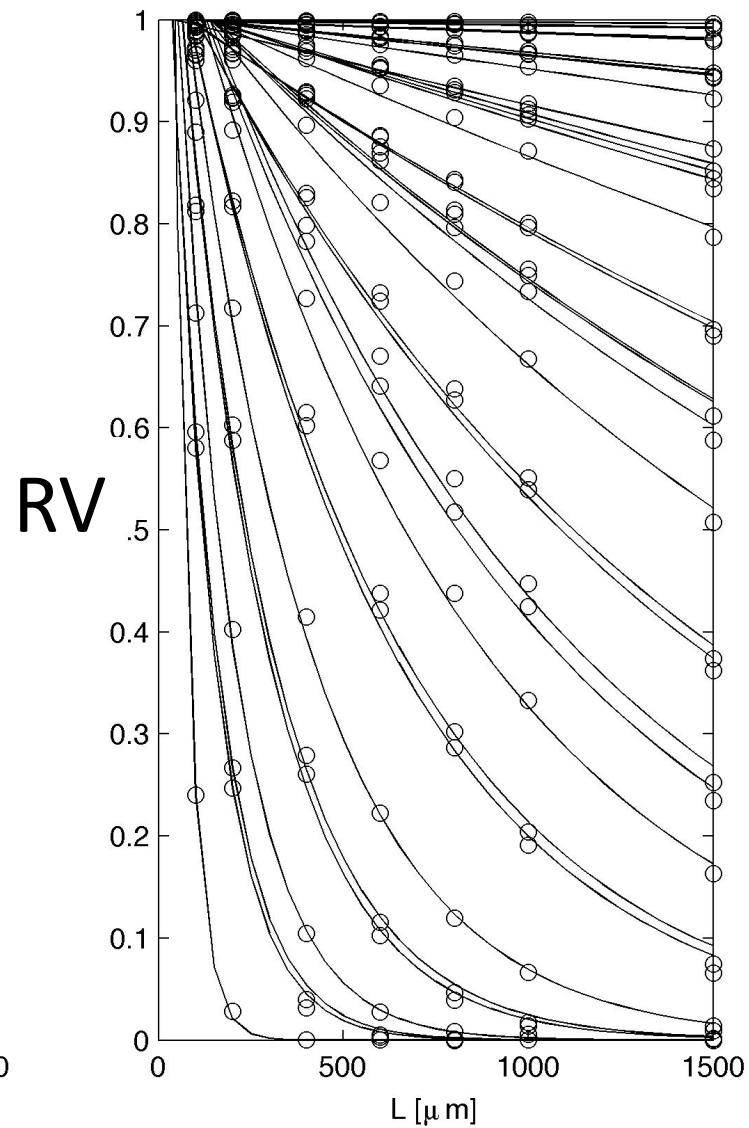
Simulation Matrix for T

$$\langle Q \rangle = \exp(-m_{LP}L)$$



L [mm]

$$\langle V \rangle = \exp(-m_{CP}L)$$



L [mm]

scattering coefficient [cm⁻¹]



Linear depolarization:

$$\langle Q \rangle = e^{-\mu_{LP}L} = e^{-k_{LP}m_sL}$$

$$k_{LP} = \frac{\mu_{LP}}{\mu_s} = \text{efficiency of LP depolarization}$$

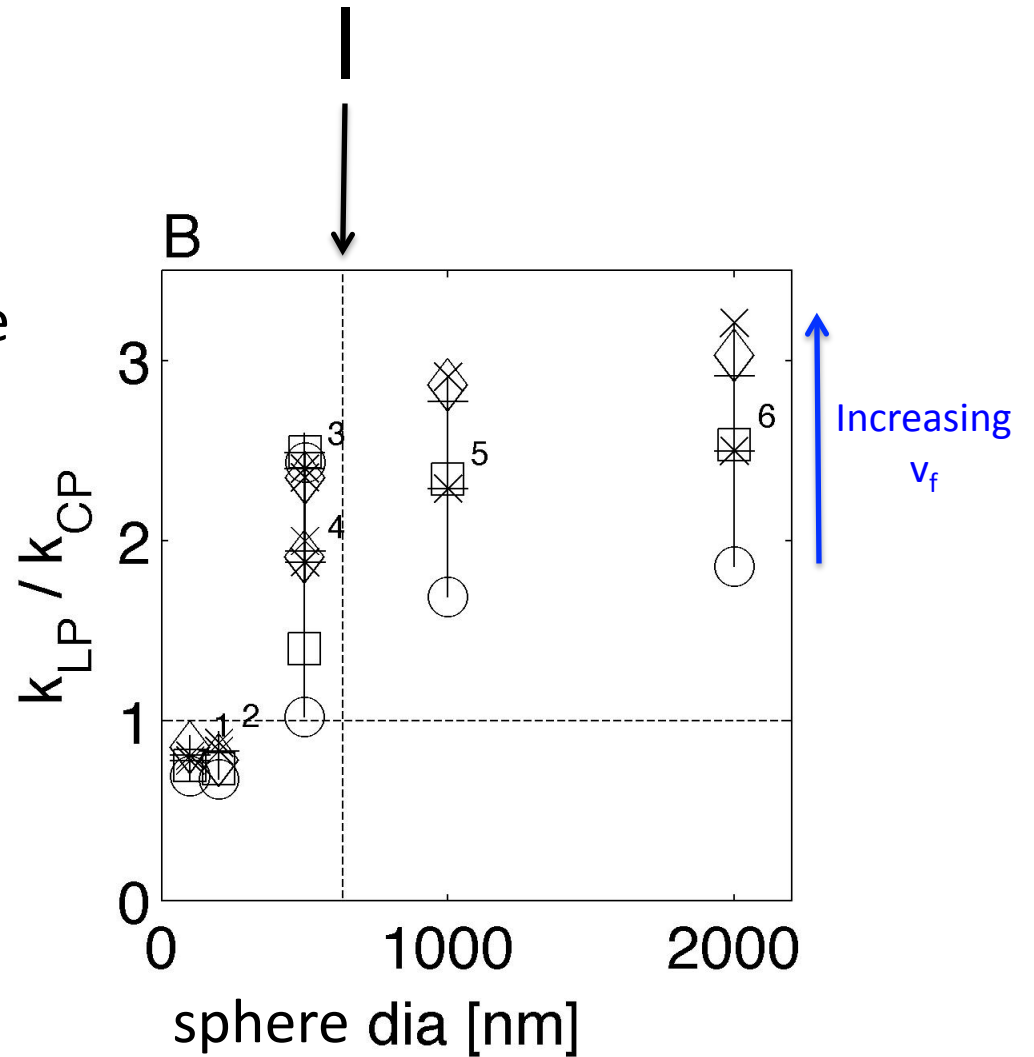
Circular depolarization:

$$\langle V \rangle = e^{-\mu_{CP}L} = e^{-k_{CP}m_sL}$$

$$k_{CP} = \frac{\mu_{CP}}{\mu_s} = \text{efficiency of CP depolarization}$$

Linearly polarized light is more efficiently depolarized than circularly polarized light, for larger particles.

The same efficiency for smaller particles.



Depolarization coefficients

m_{LP} and m_{CP}
due to
scattering

Coefficients

m_{LP} and m_{CP}
due to
birefringence

$$m_{LP} = k_{LP} m_s \approx 0.025 (200 \text{ cm}^{-1}) = 5 \text{ cm}^{-1}$$

$$24 \text{ cm}^{-1}$$

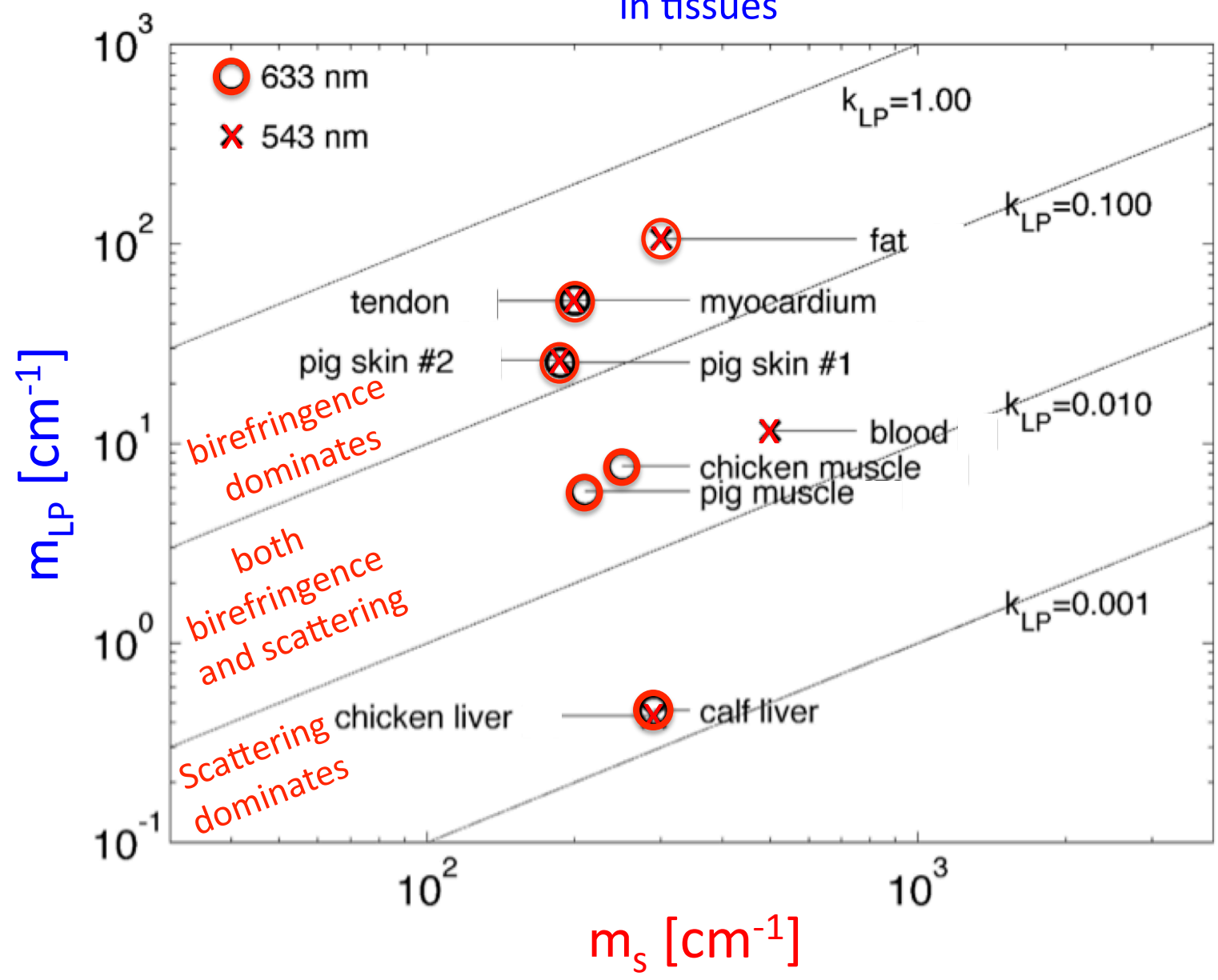
$$m_{CP} = k_{CP} m_s \approx 0.0125 (200 \text{ cm}^{-1}) = 2.5 \text{ cm}^{-1}$$

$$42 \text{ cm}^{-1}$$

↑
typical m_s value
for mid-visible
light

for
collagen
fibers

Depolarization of linearly polarized light in tissues



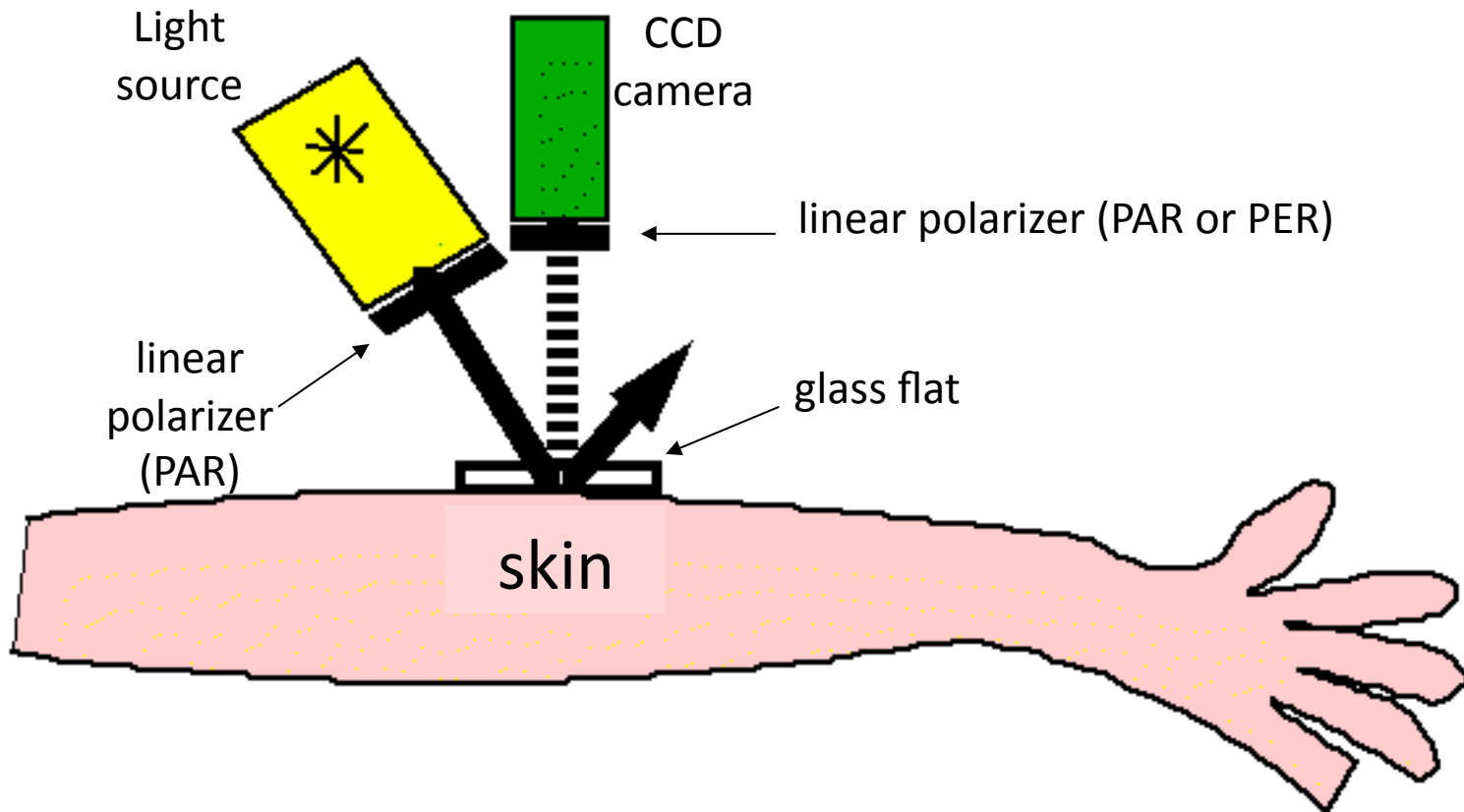
Conclusions:

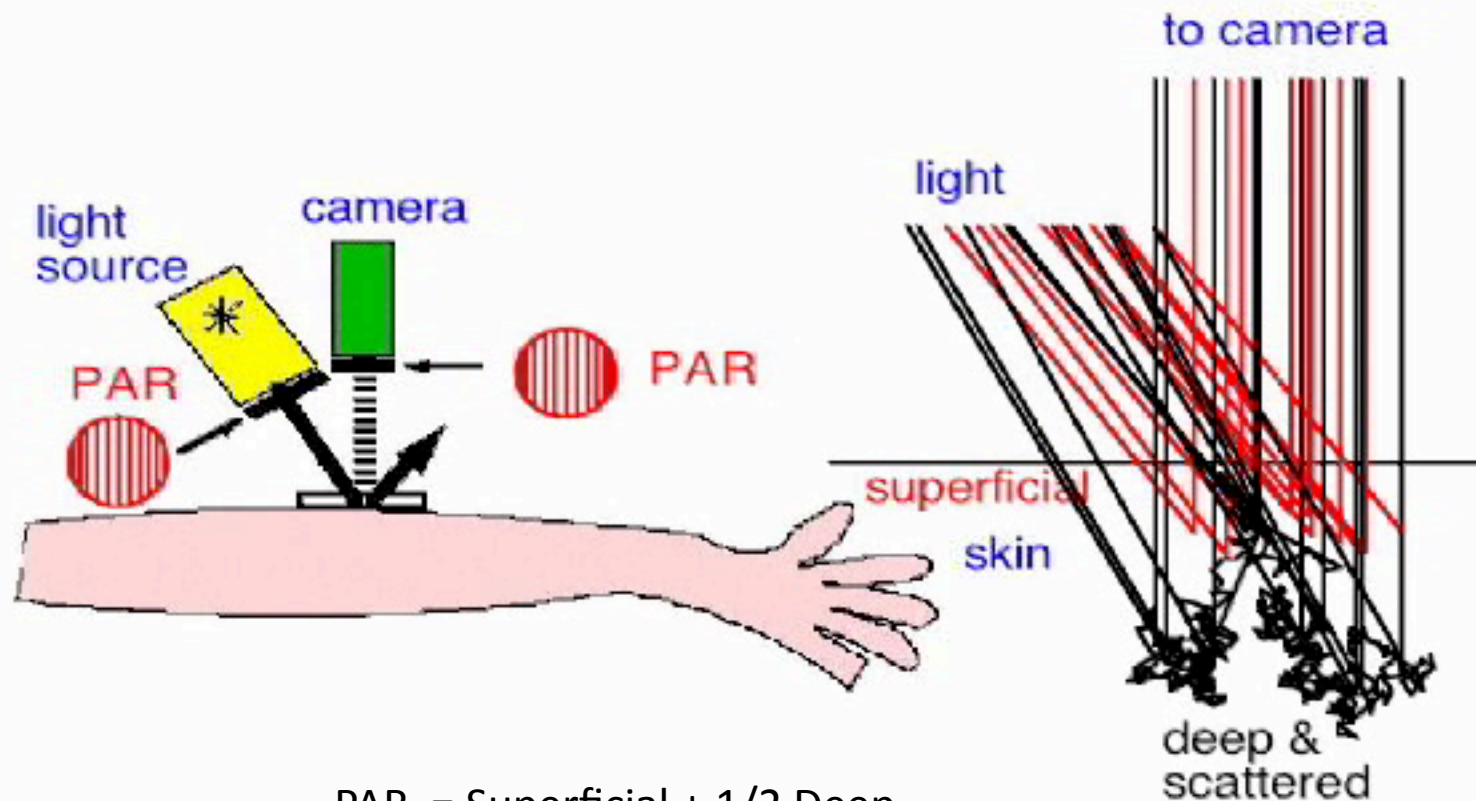
1. Depolarization in tissues is due to both scattering and birefringence.
 - birefringence dominates in collagenous tissues,
 - birefringence and scattering ~equal in muscle,
 - scattering dominates in non-birefringent tissues like liver.
 - (fat and blood are likely dominated by scattering, but are very depolarizing)
2. Circular polarization is depolarized twice as fast as linear polarization by **birefringence**.
3. Circular polarization is depolarized more slowly than linear polarization by **scattering** when scattering particles are large.
 - ~Equal depolarization by **scattering** when particles small.

$$\mu_{i,j} = \frac{-\partial M_{i,j}}{\partial L} \frac{1}{M_{i,j}}$$

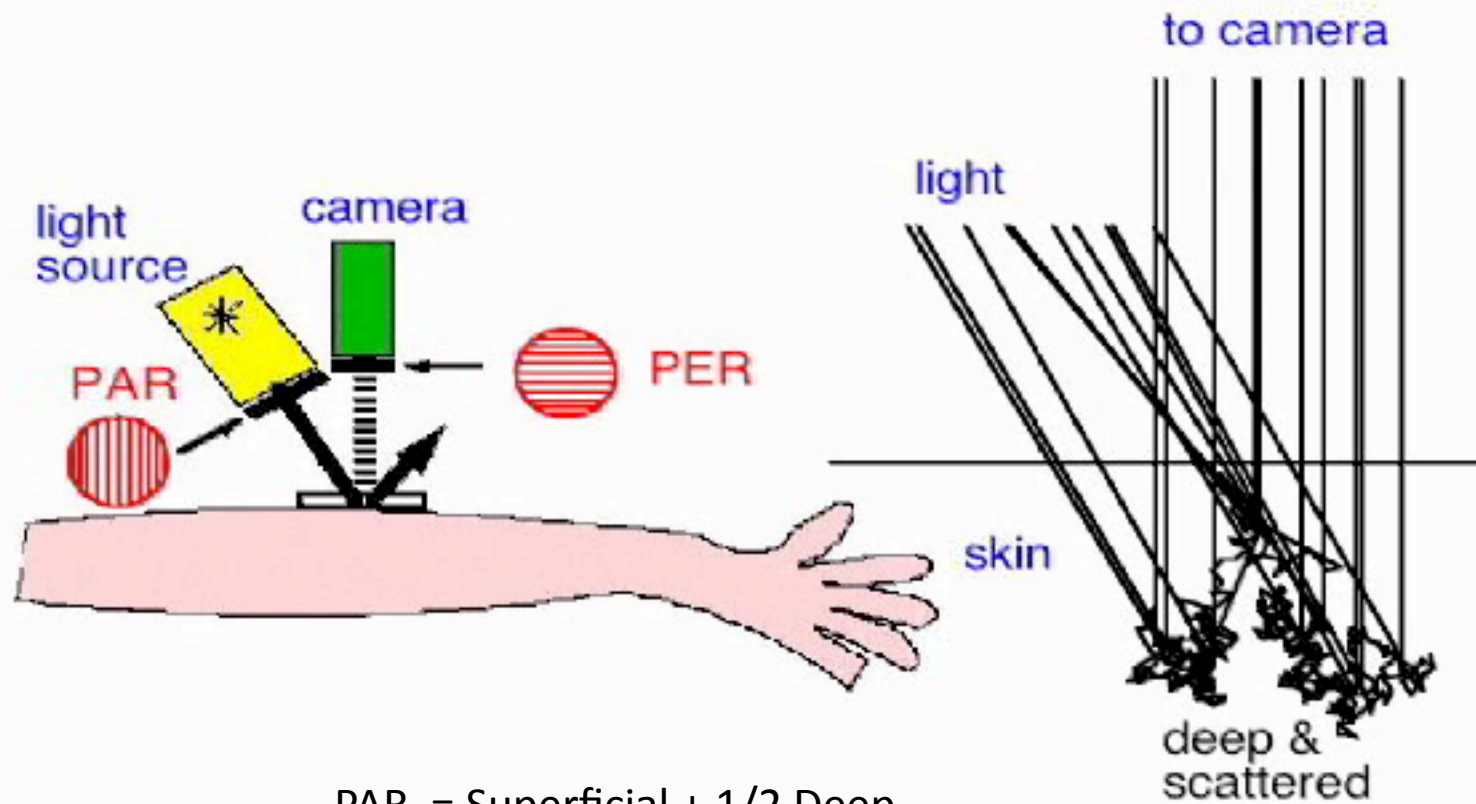
Polarization as a **gating** mechanism

1. Use incoherent light
2. Avoid surface glare



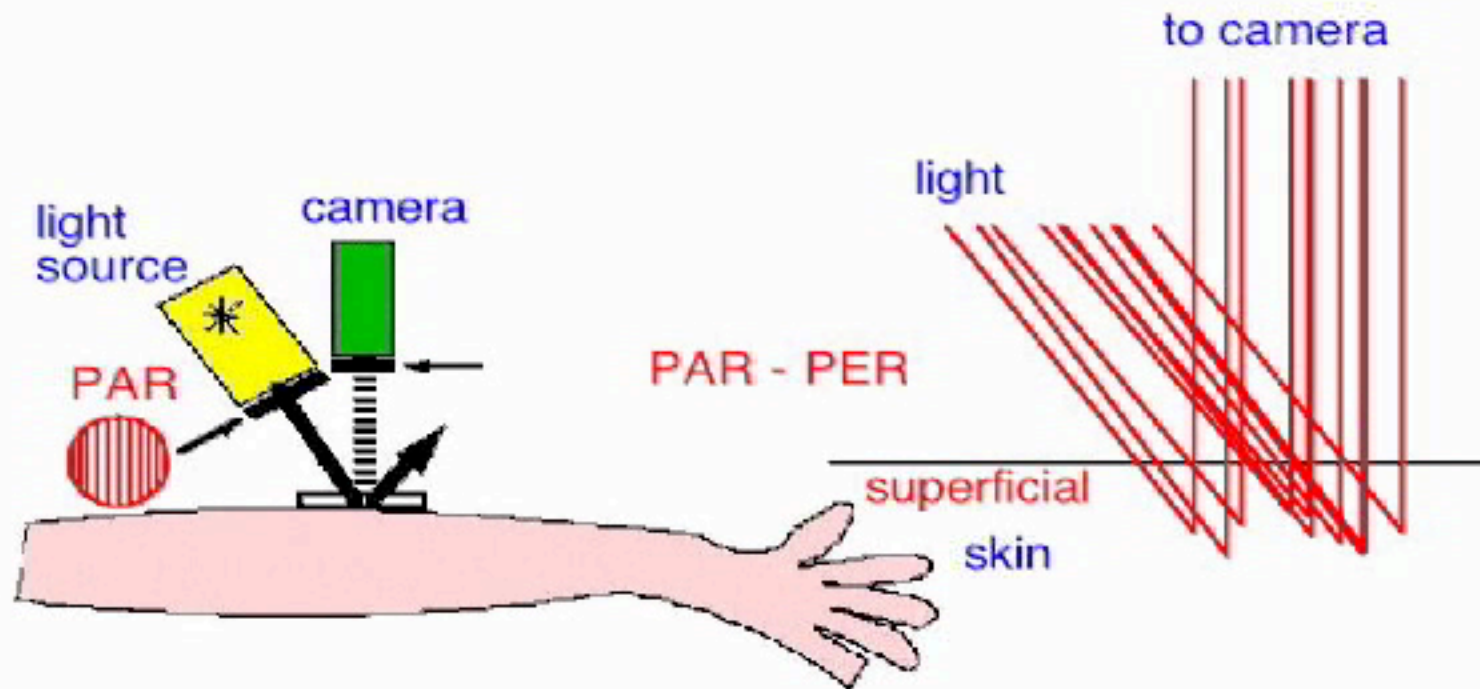


$$\text{PAR} = \text{Superficial} + 1/2 \text{ Deep}$$



PAR = Superficial + 1/2 Deep

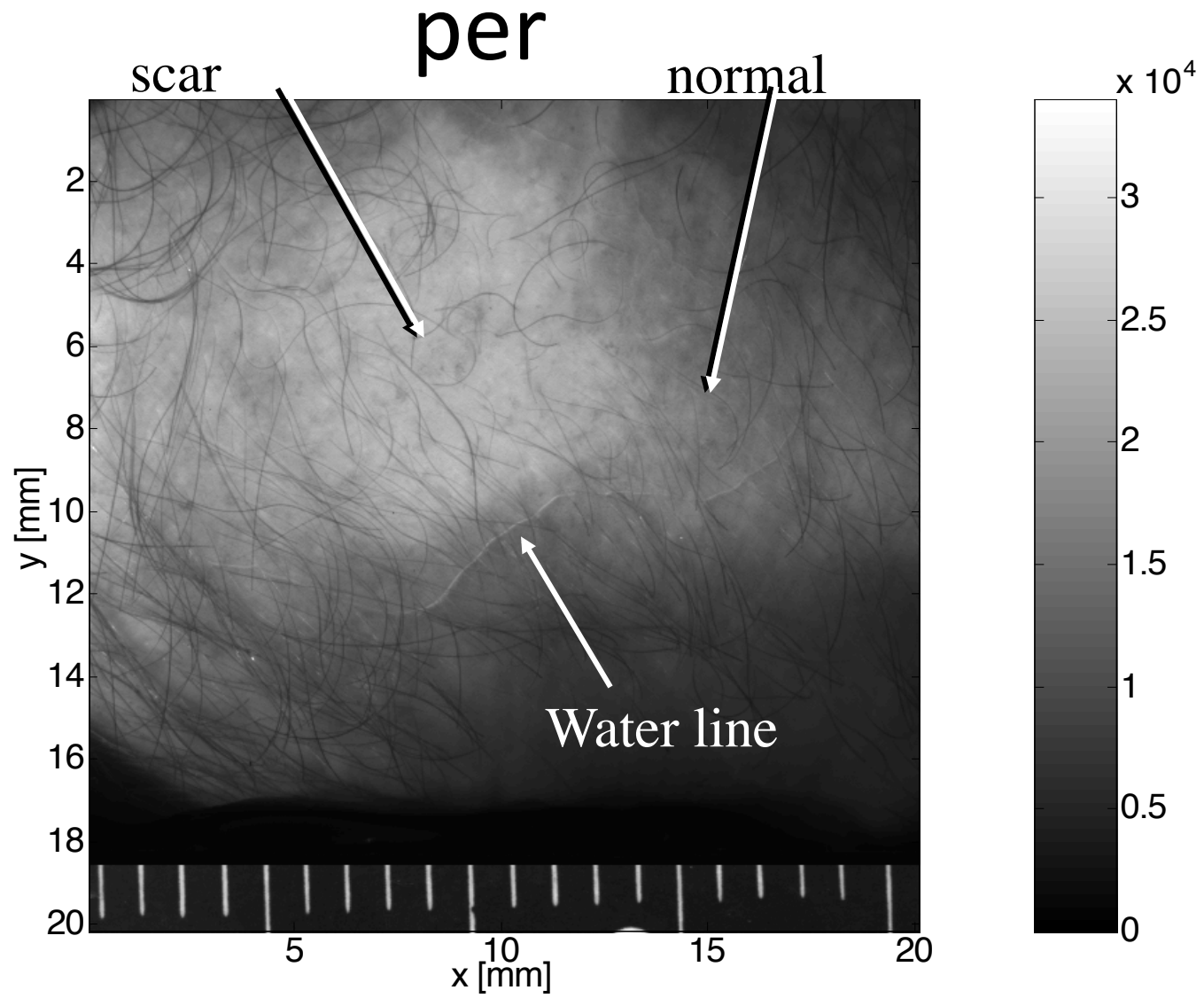
PER = 1/2 Deep

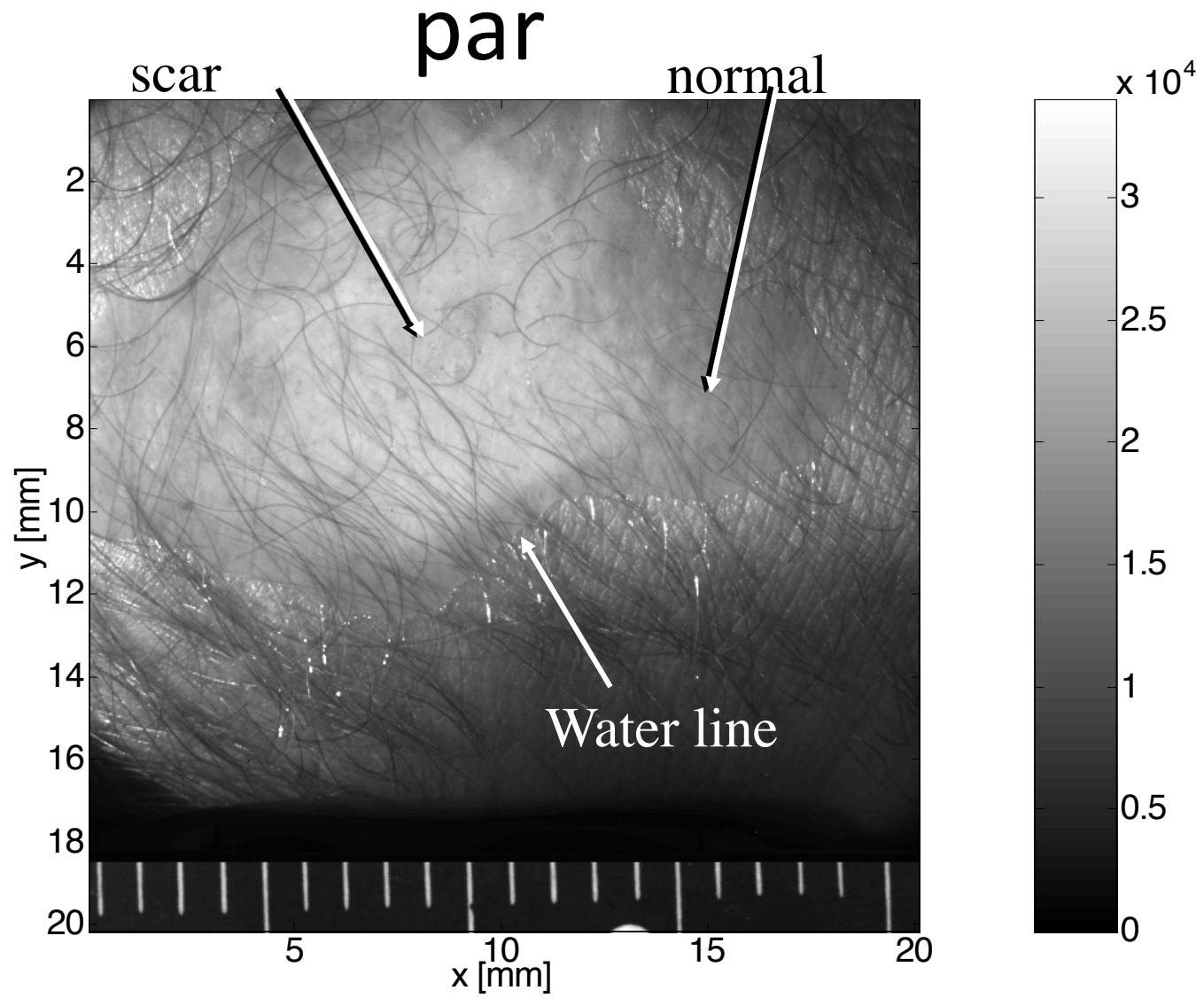


$$\text{PAR} = \text{Superficial} + 1/2 \text{ Deep}$$

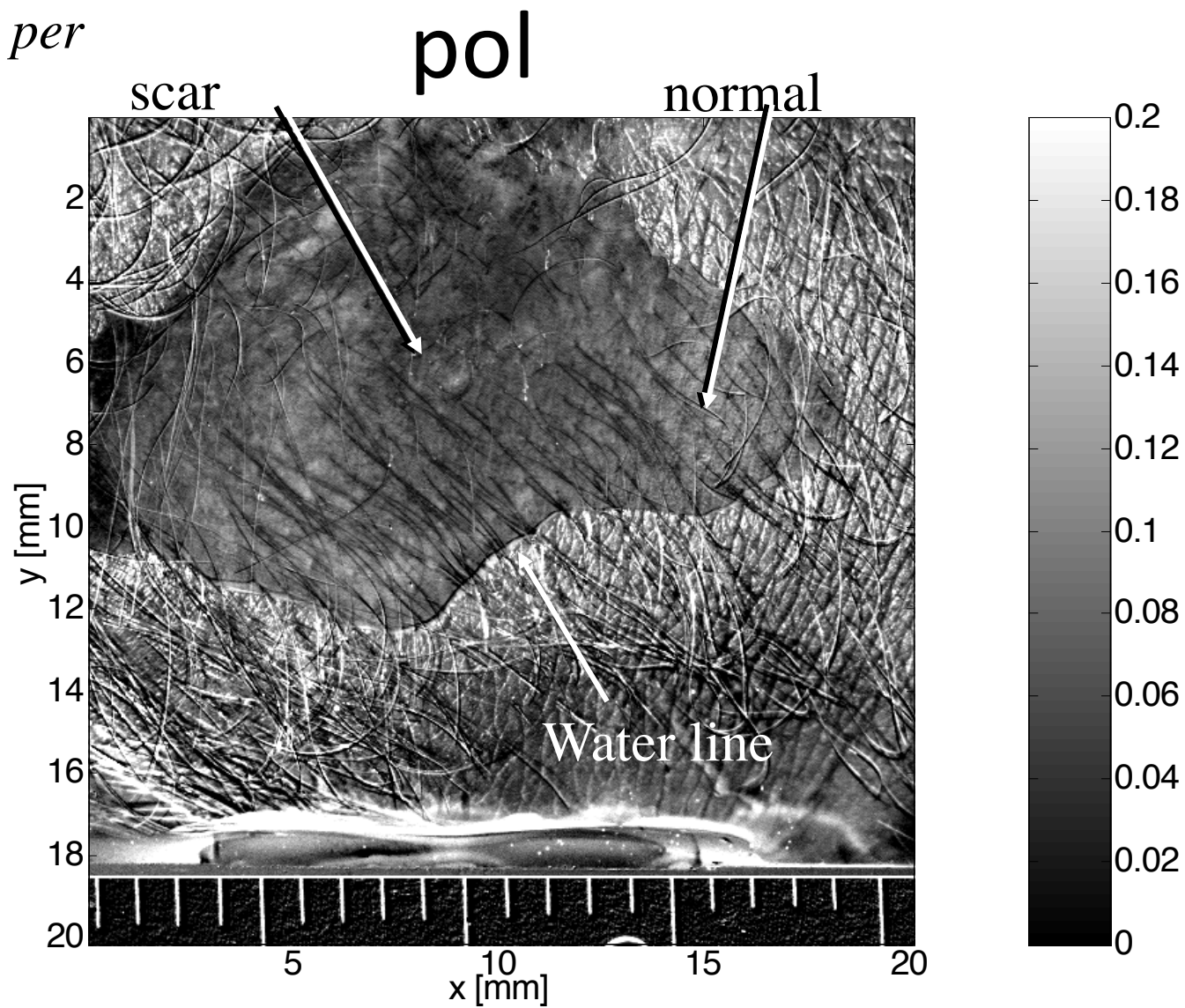
$$\text{PER} = \quad \quad \quad 1/2 \text{ Deep}$$

$$\text{PAR} - \text{PER} = \text{Superficial}$$





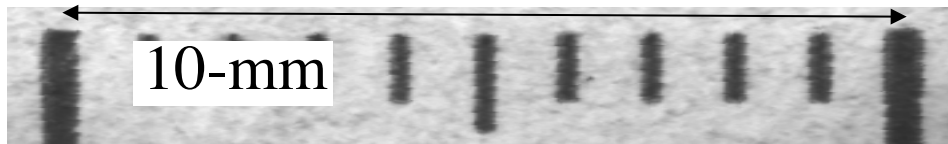
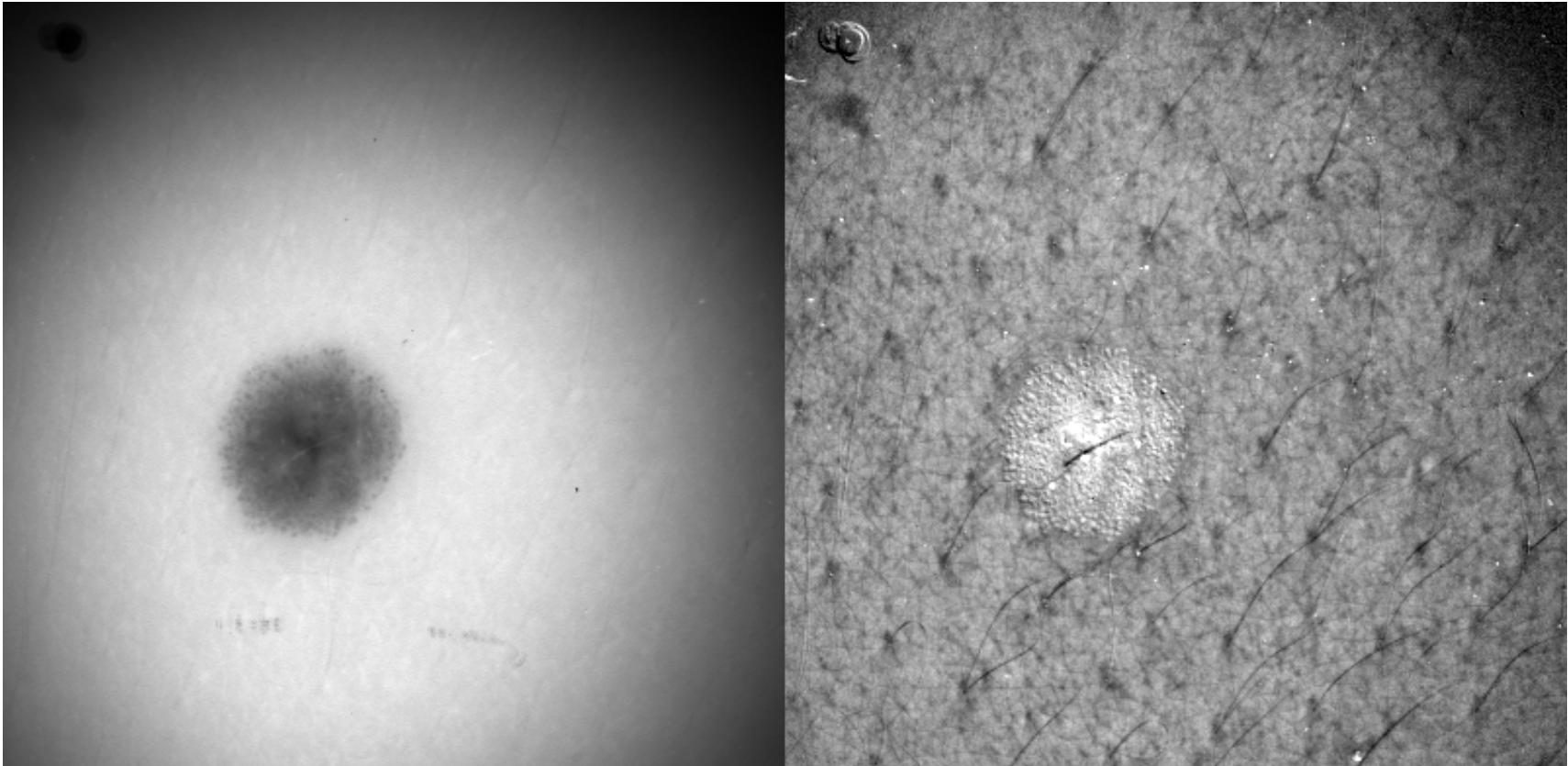
$$pol = \frac{par - per}{par + per}$$



per

compound nevus

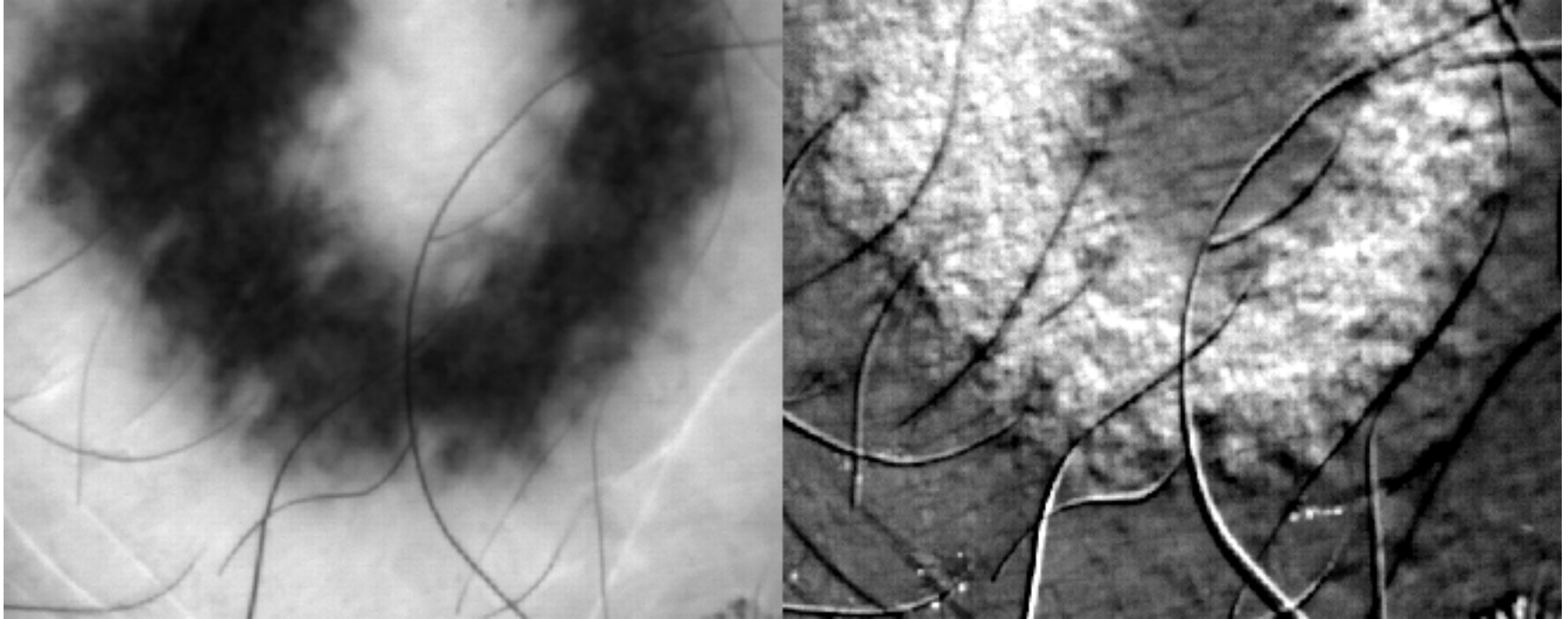
pol



per

tattoo

pol

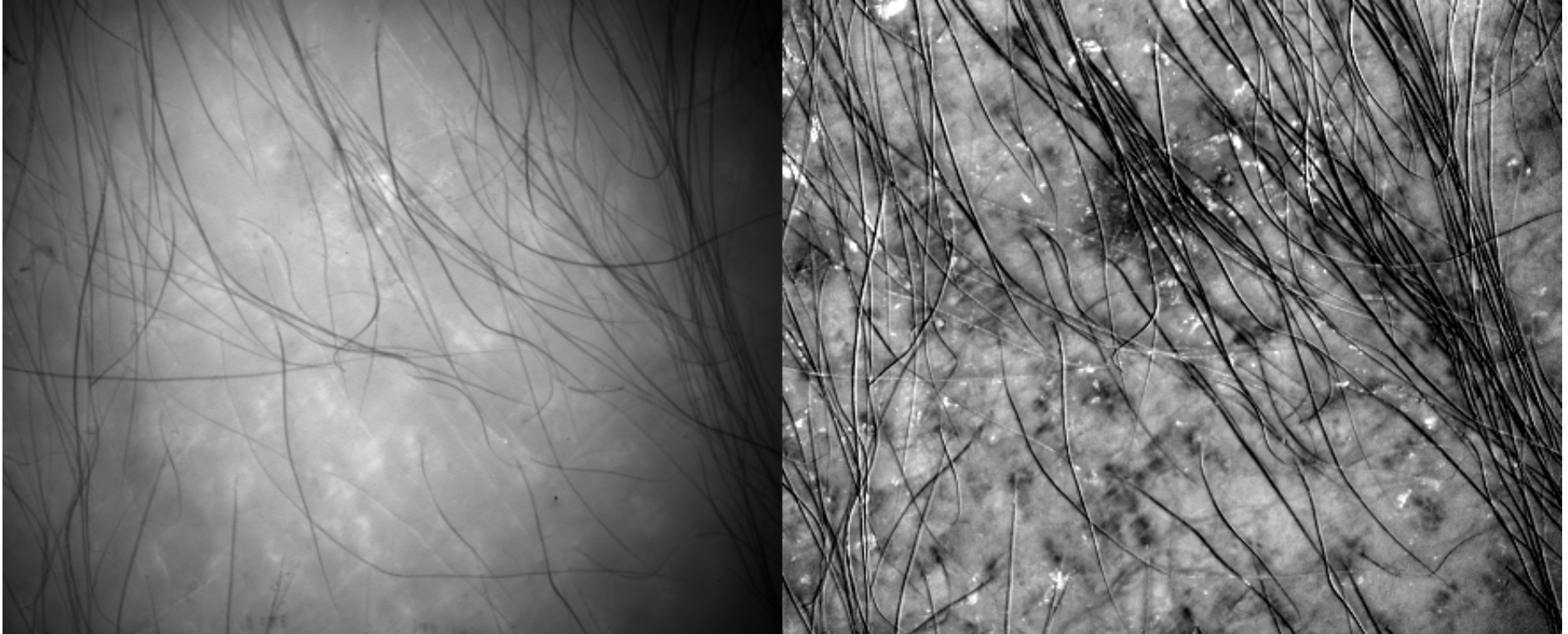


per

actinic keratosis

pol

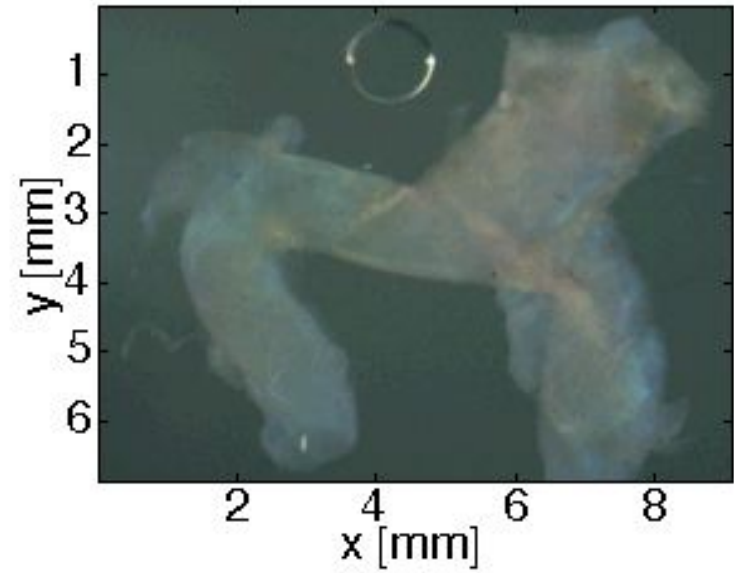
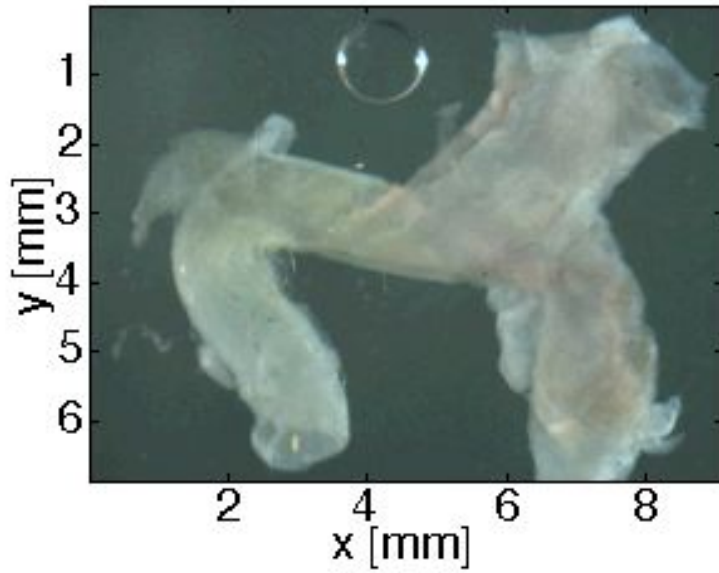
pre-malignant



par

Mouse esophagus

per



Colored POL image is

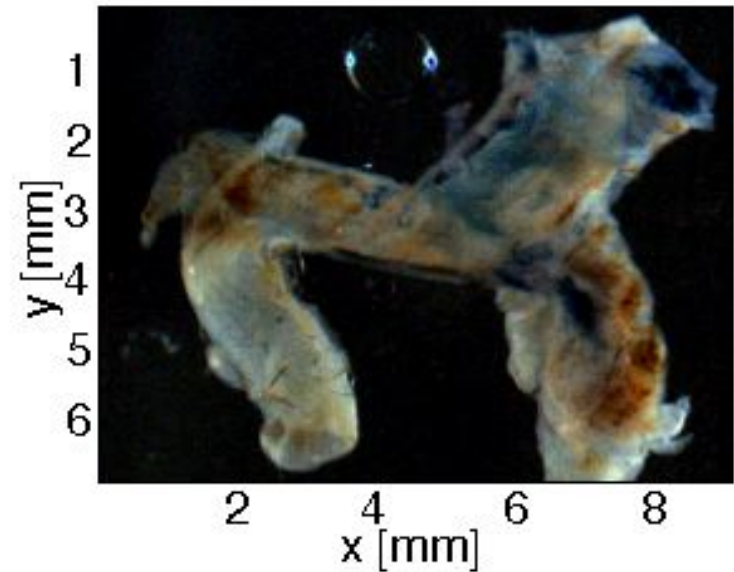
PAR - PER

processed for each of the 3 channels of
color camera.

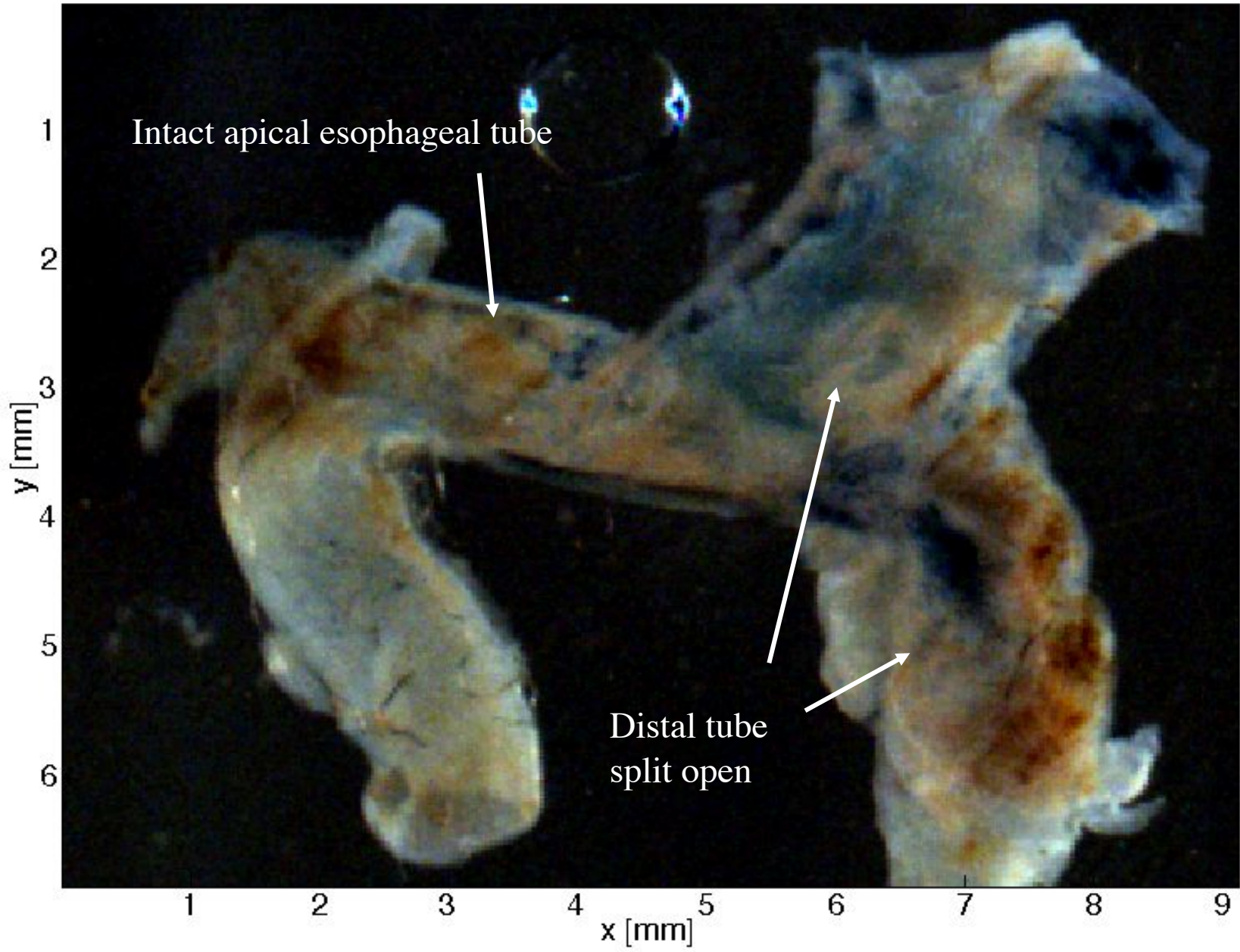
Properly color balanced,

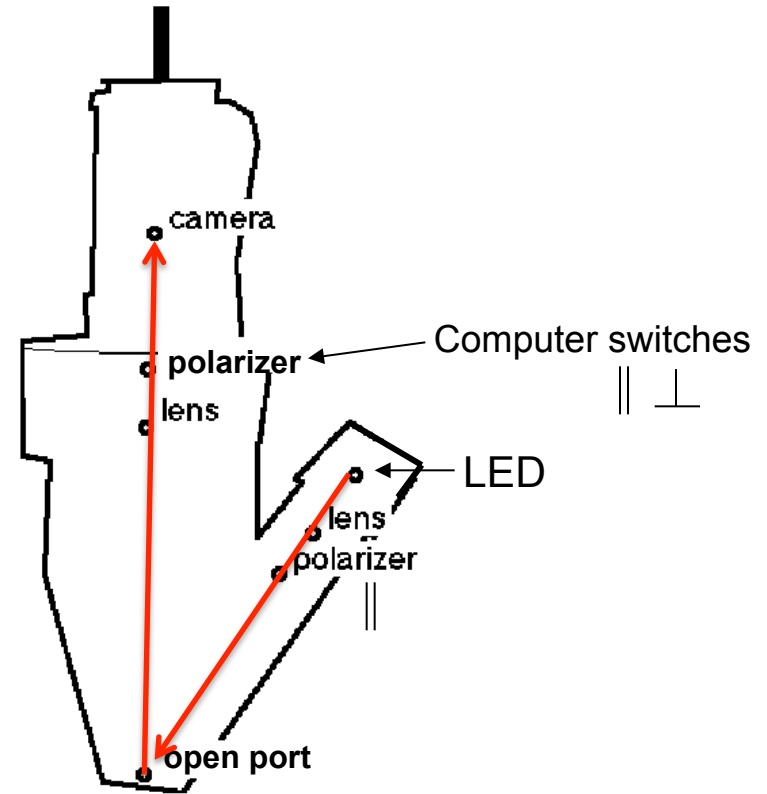
so TRUE COLORS !!

par-per



par-per

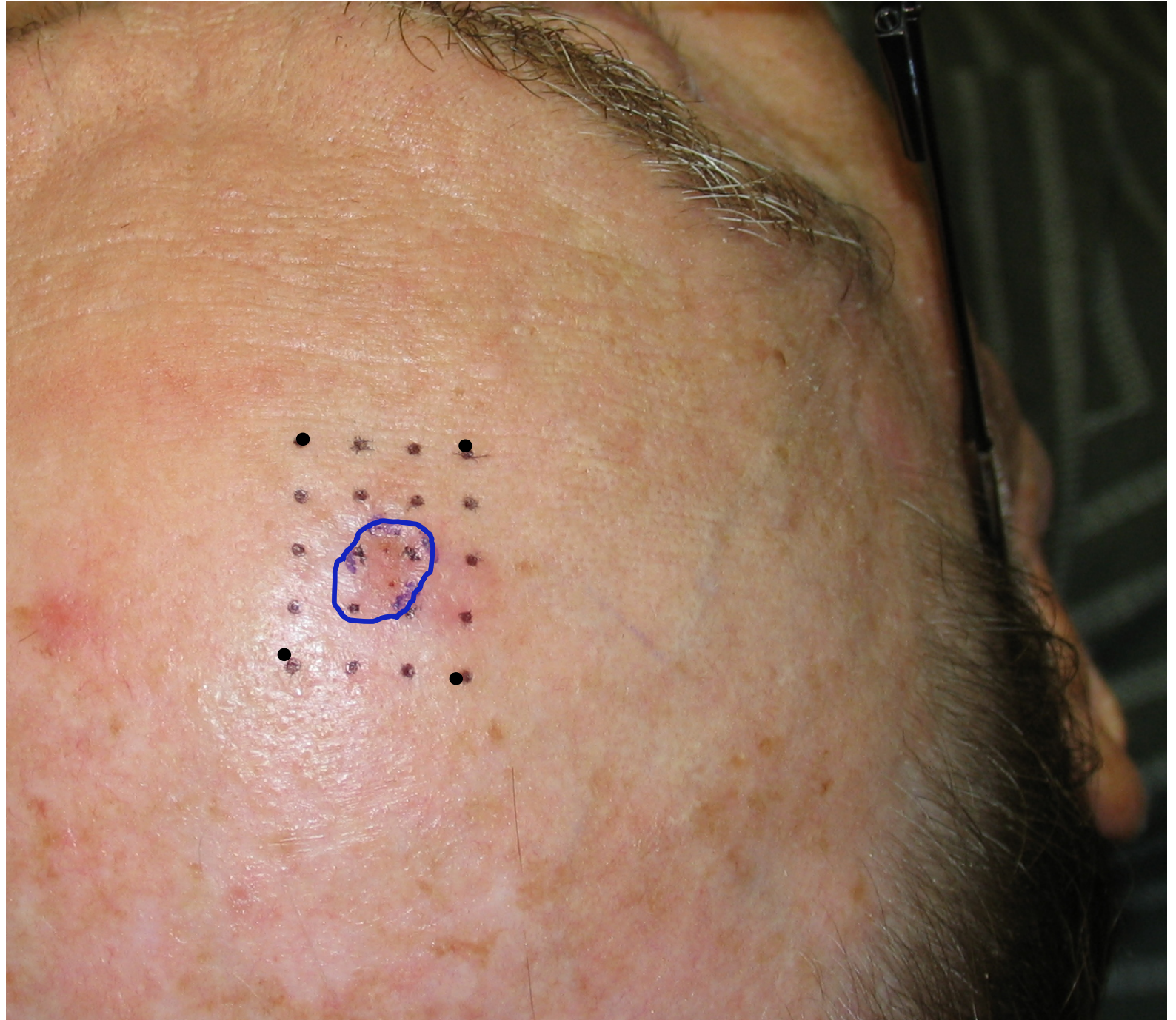




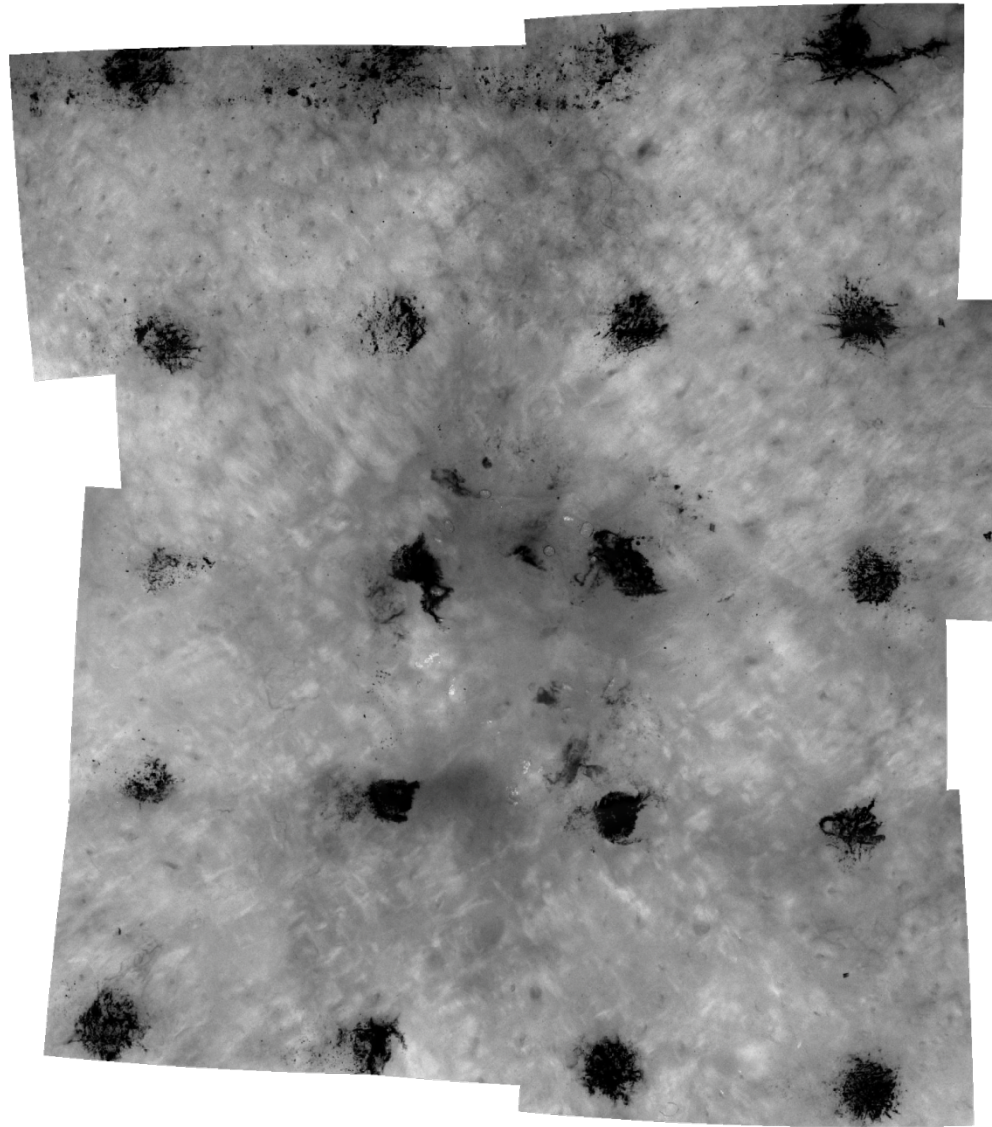
BCC on the right forehead



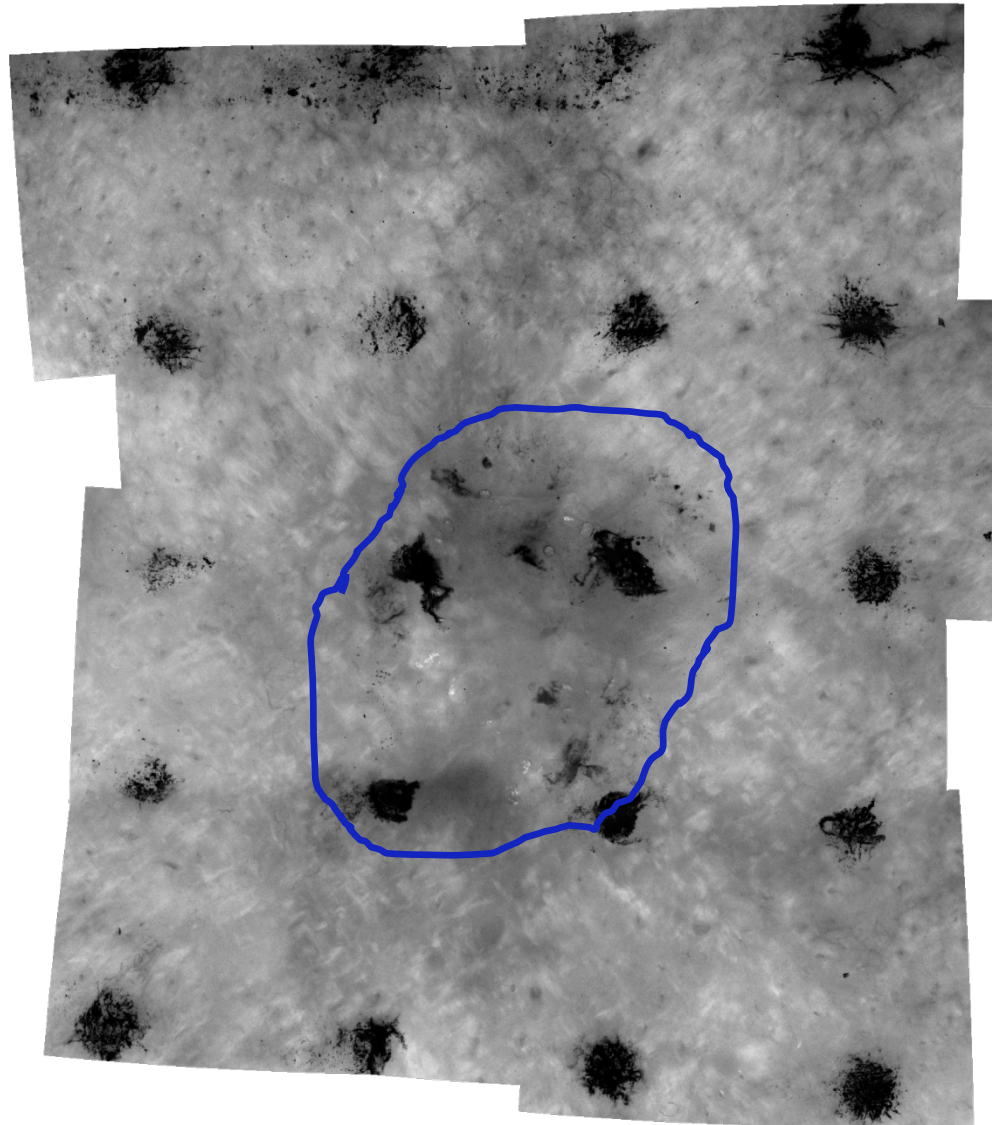
BCC on the right forehead



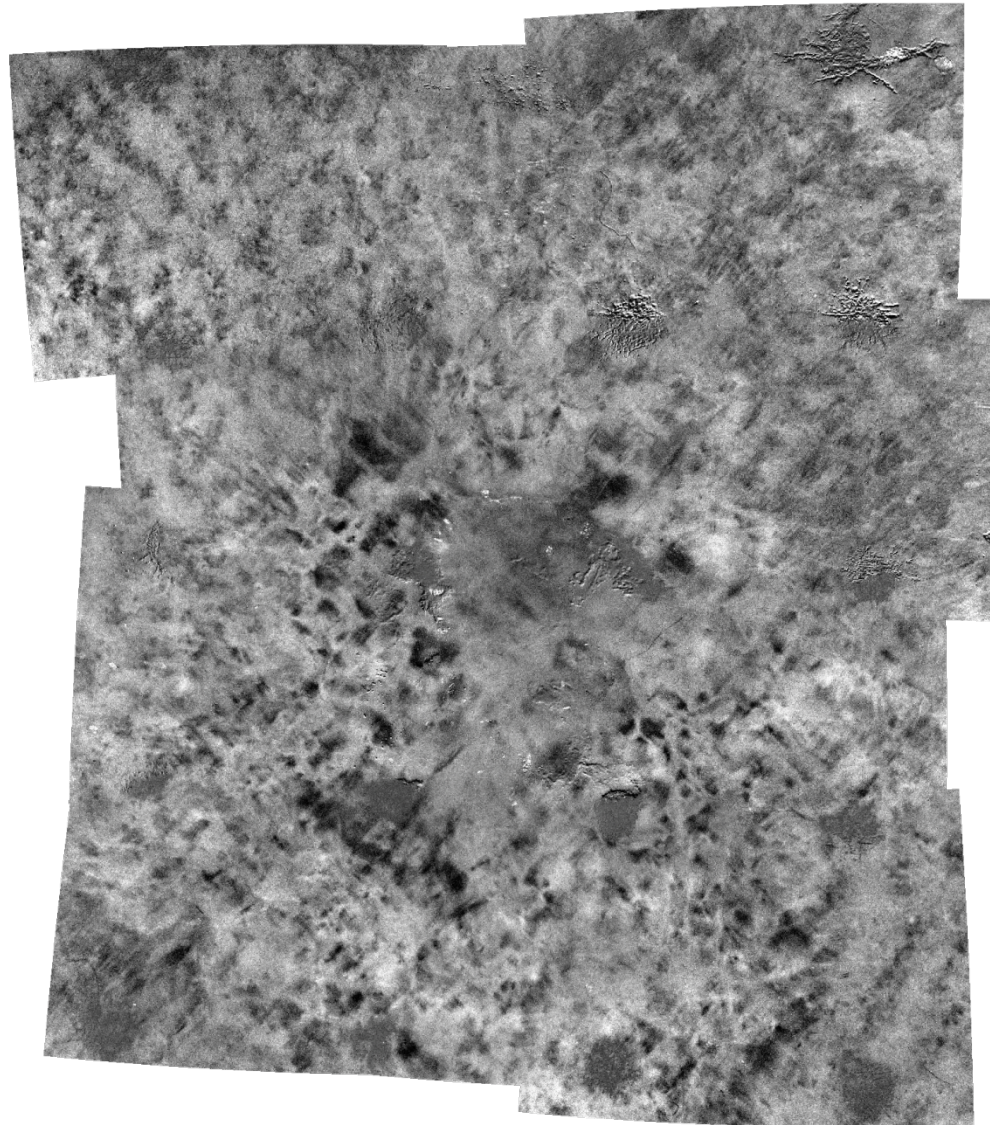
PER



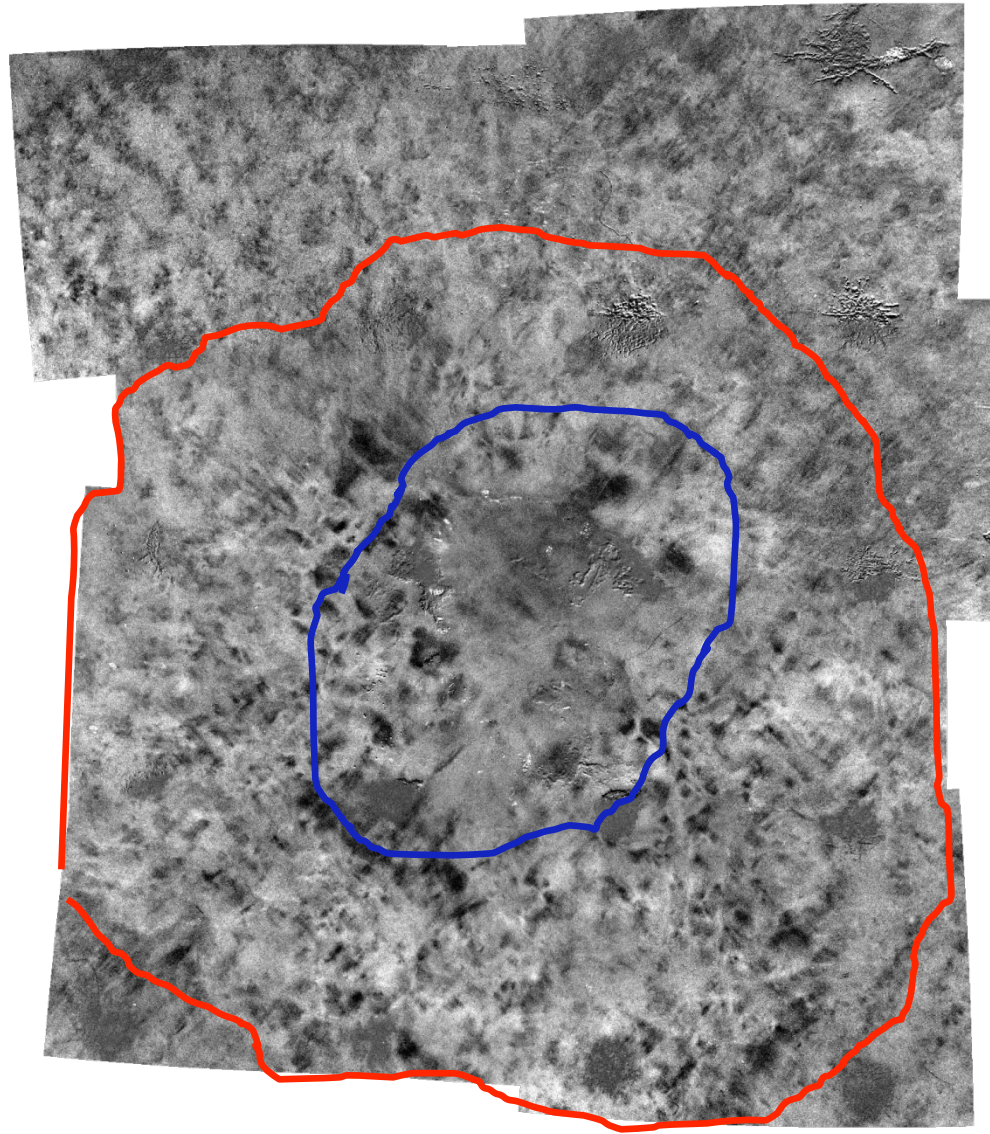
PER



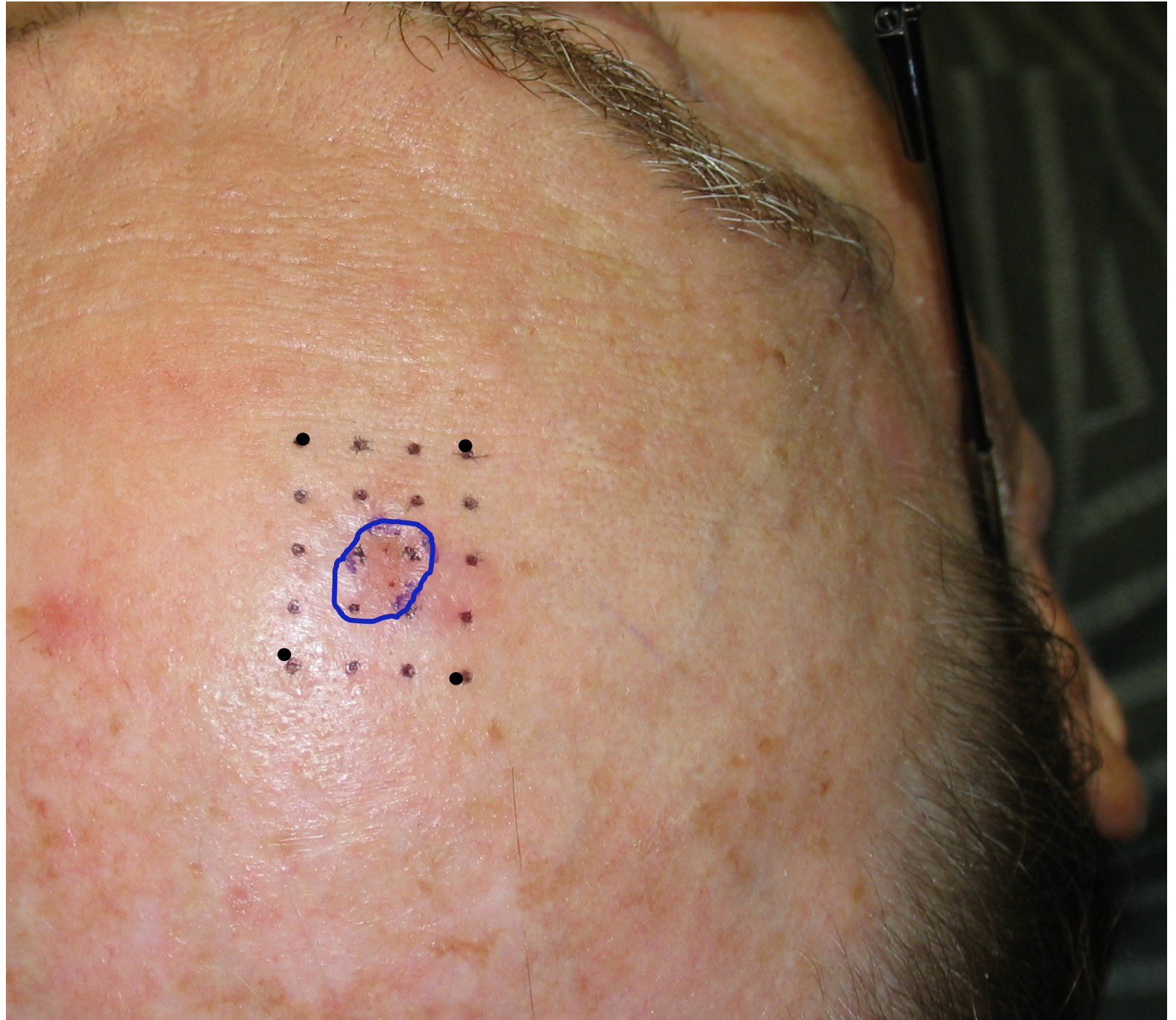
PAR-PER



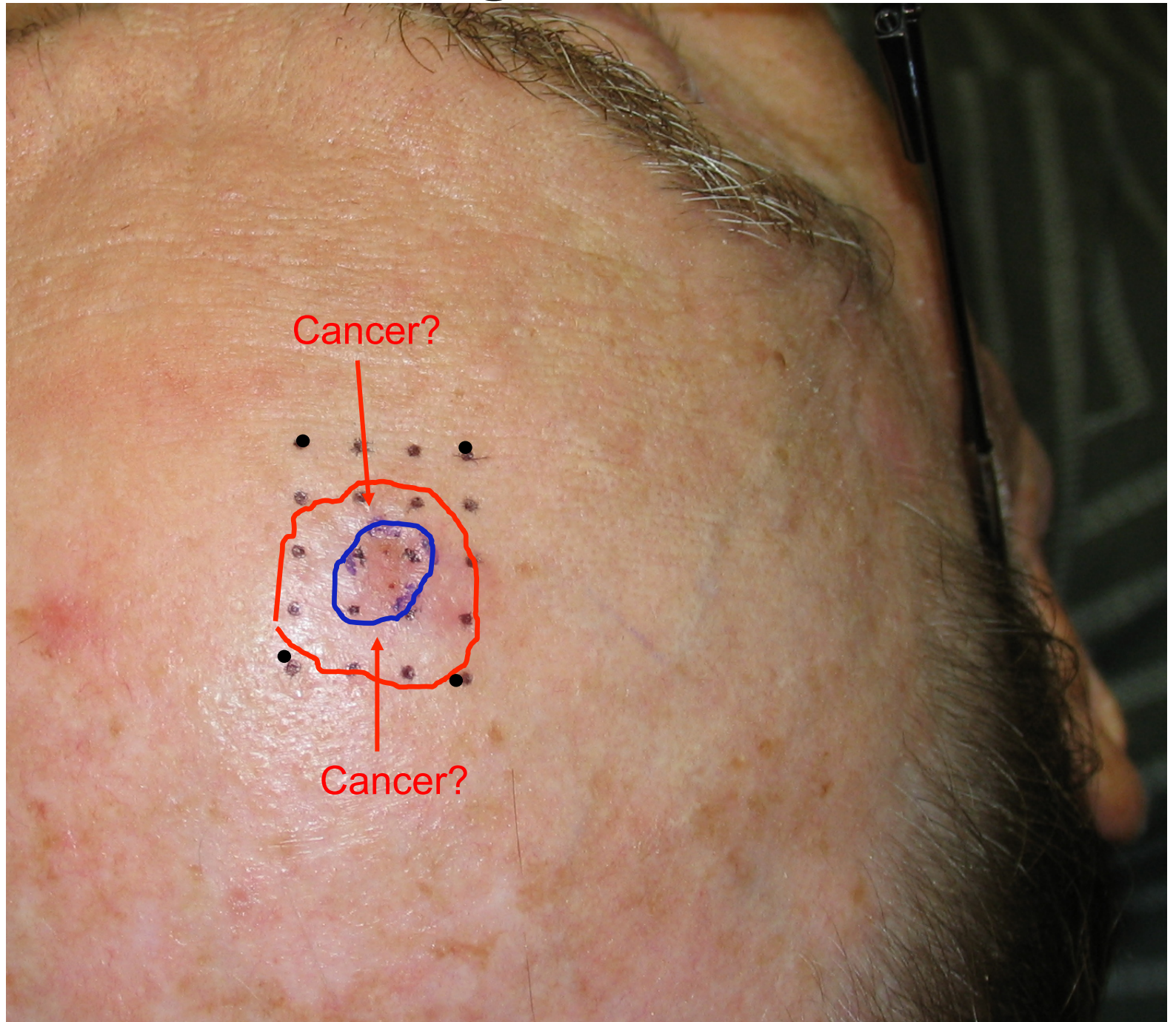
PAR-PER



BCC on the right forehead



BCC on the right forehead



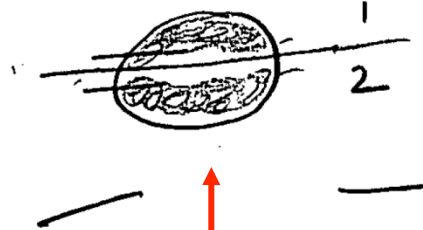
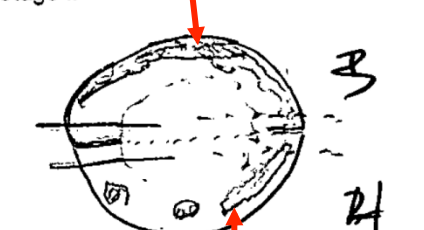
BCC on the right forehead

YES !

Cancer!

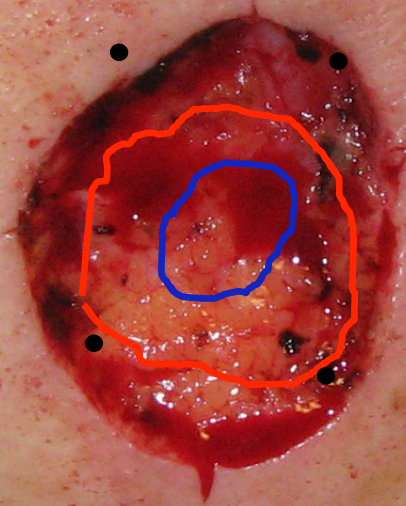
Pathology Report

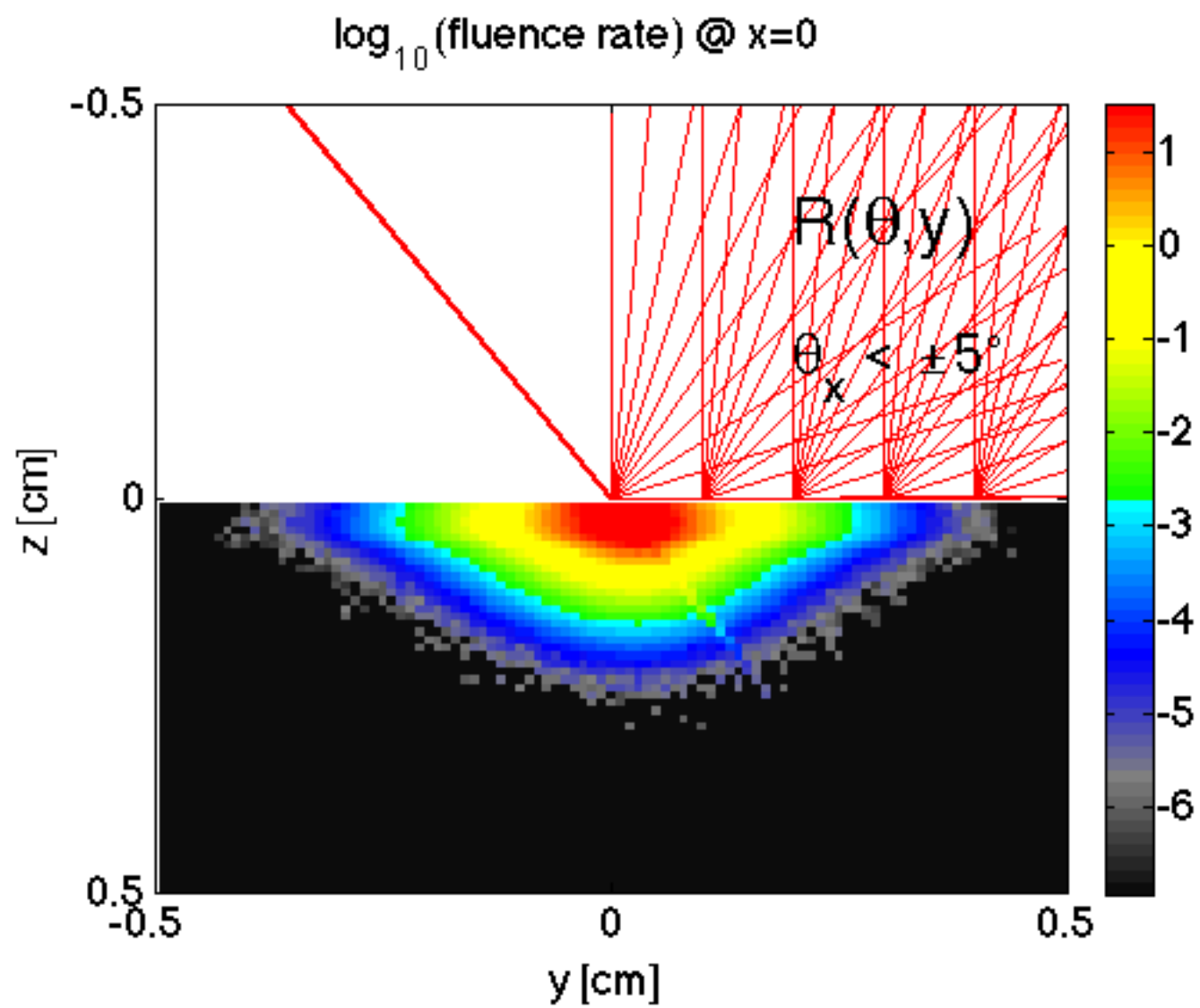
Cancer!

Patient Identification		
Stage I	Stage II	
		
<p>Cancer!</p>	<p>Cancer!</p>	
<p>1% Lidocaine with epi <u>2</u> mL per verbal order Dr. <u>[Signature]</u> Signed / Time <u>5830</u></p>	<p>1% Lidocaine with epi <u>30</u> mL per verbal order Dr. <u>[Signature]</u> Signed / Time <u>0930</u></p>	
Stage III	Stage IV	Stage V

Clinical study showed that the polarized light camera increased the Negative Predictive Value relative to the clinician, such that

there were 1/3 as many false negatives using the camera, compared to the clinician.





The end